

Jet Tomo-graphy of wQGP via pQCD

Versus

Jet Corona-graphy of sQGP via AdS Holography

In A+A at RHIC and LHC

and

Possible implications for holographic baryon physics at FAIR

Miklos Gyulassy (Columbia University)

**Tomo collabs: M. Plumer, M. Thoma, XN.Wang, P.Levai, I.Vitev, M.Djordjevic, A. Adil,
W.Horowitz, S. Wicks, A. Buzzatti, A. Ficnar**

Holo collabs: W.Horowitz, J. Noronha, G. Torrieri, B. Betz, A. Ficnar

Part 1: Speculations about Baryonic Holograms at FAIR

Part 2: Holo vs Tomo vs Corona -graphy of Jet Quenching

Part 3: JET collab update: DGLV-BFW-MC of the $N < 10$ Corona

Part 4: Conformal Holography of Heavy Quark Jets and Bulk Elliptic Flow

Part 5: Overtime 1- Turbulent Initial Conditions with $\eta/s \ll 1$
 \Rightarrow [Jet, Bulk Flow] ~~\neq~~ 0

Part 6: Overtime 2: Demonic vs Angelic Flow Beyond Perfection at LHC
HRG CGC

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Theory of the QCD Critical End Point covers all possibilities

A high priority open problem for LOEWE HIC for FAIR

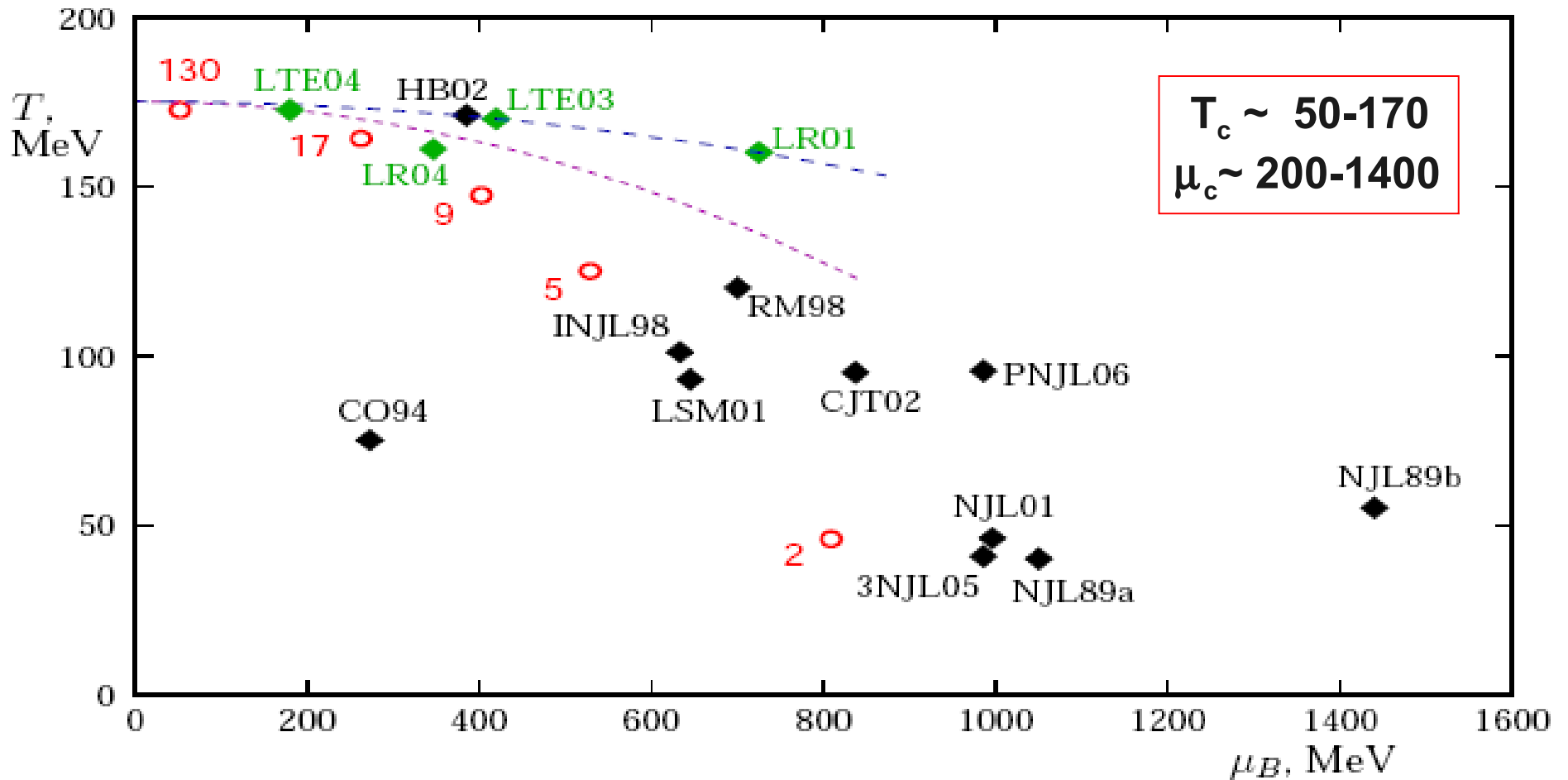
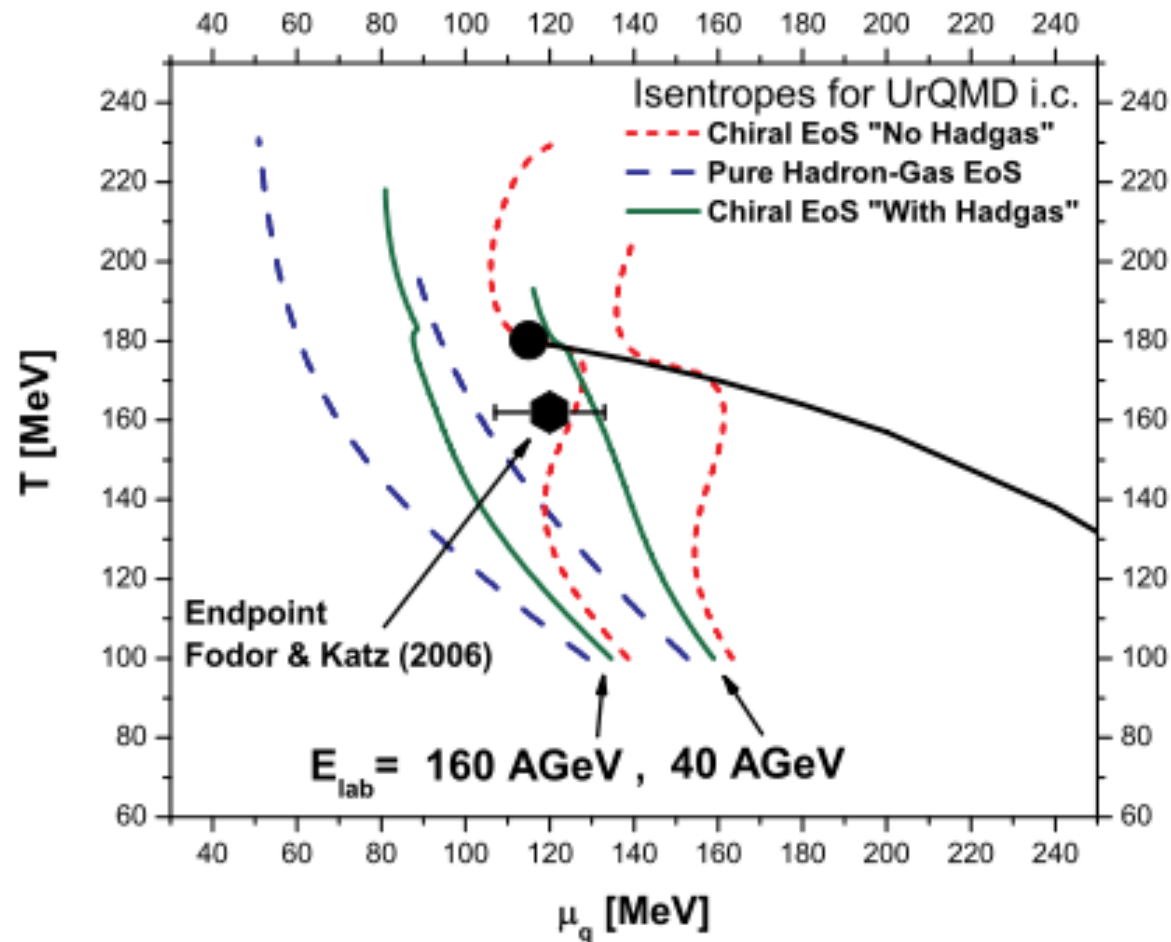


Figure 4: Comparison of predictions for the location of the QCD critical point on the phase diagram. Black points are model predictions: NJLa89, NJLb89 – [12], CO94 – [13, 14], INJL98 – [15], RM98 – [16], LSM01, NJL01 – [17], HB02 – [18], CJT02 – [19], 3NJL05 – [20], PNJL06 – [21]. Green points are lattice predictions: LR01, LR04 – [22], LTE03 – [23], LTE04 – [24]. The two dashed lines are parabolas with slopes corresponding to lattice predictions of the slope $dT/d\mu_B^2$ of the transition line at $\mu_B = 0$ [23, 25]. The red circles are locations of the freezeout points for heavy ion collisions at corresponding center of mass energies per nucleon (indicated by labels in GeV) – Section 5.

(3+1)-Dimensional Hydrodynamic Expansion with a Critical Point from Realistic Initial Conditions

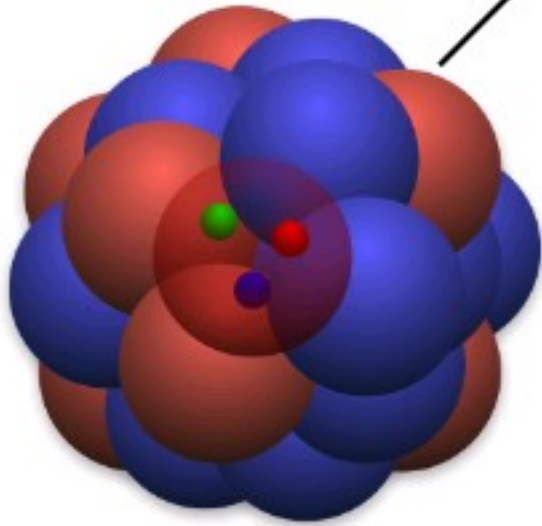
J. Steinheimer,¹ M. Bleicher,¹ H. Petersen,^{1,2} S. Schramm,¹ H. Stöcker,^{1,2,3} and D. Zschiesche¹



- Dynamic (Isentropic) Path in A+A is sensitive to details of
Unknown Equation of State $P(T, \mu)$
• And UNKNOWN Transport properties η , ζ , κ

Evolving Ideas about Nuclear Matter

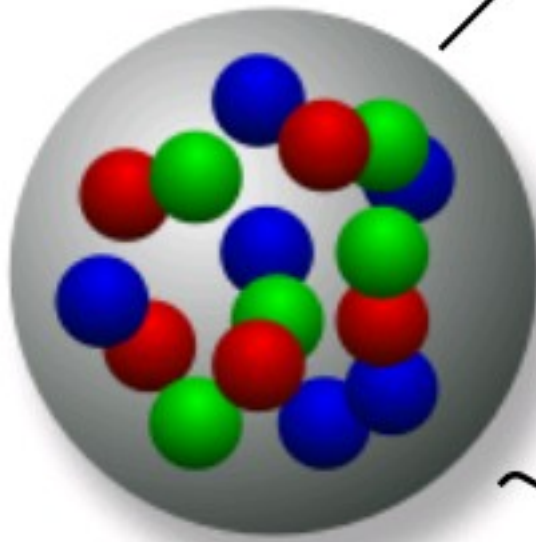
1932 Nucleus



Walecka
Hadro Dynamics

$930 \text{ MeV}/A$

1974 Quark Bag

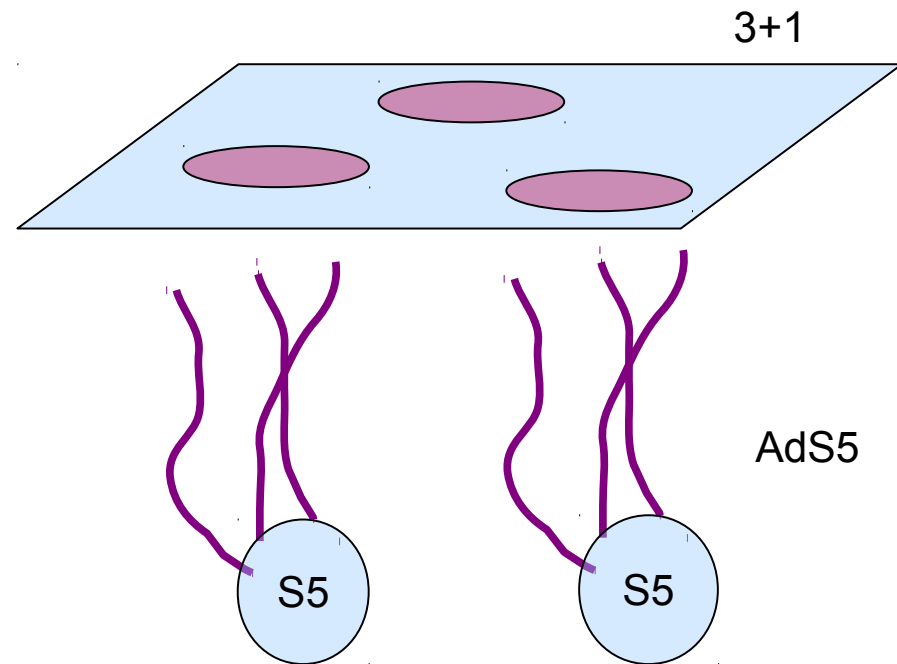


NJL
Quark Dynamics

\sim

$B/\rho + c \rho^{1/3} > 1.3 \text{ GeV}$

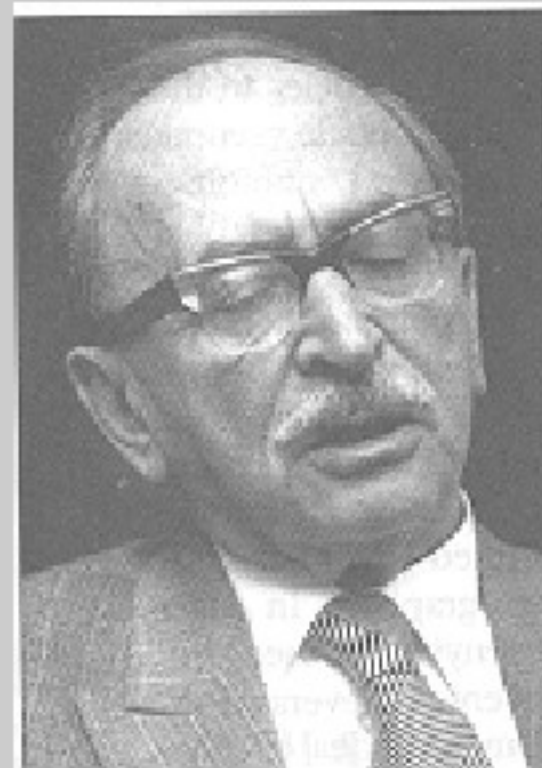
Witten 1989



10 D Stringy "Baryon Junction"
Holography

Whole (holo) spatial picture (graf) using amplitude and phase (1949)

2D plate contains complete 3D info via interference



Gábor Dénes
Nobel Prize 1971

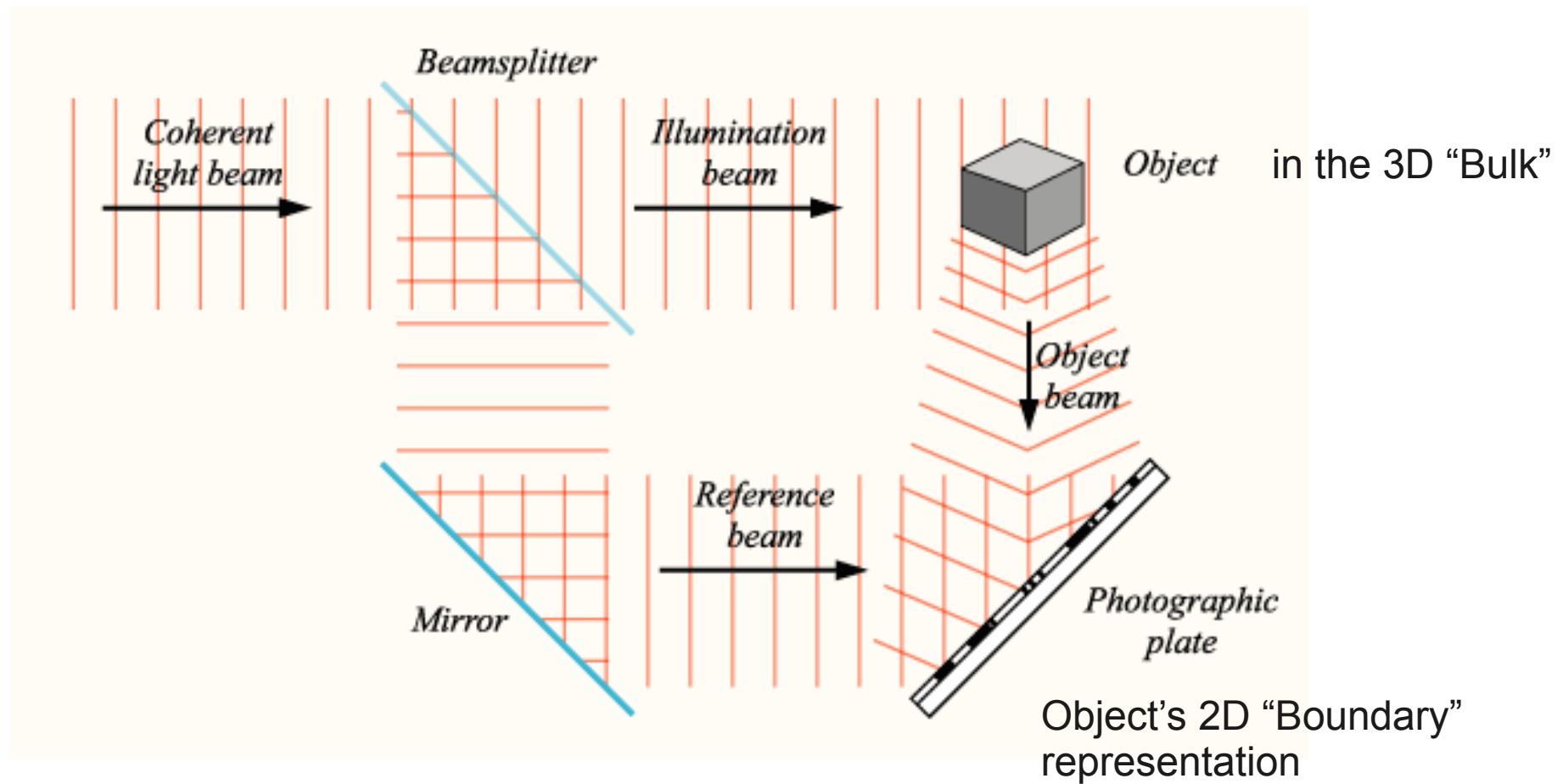
<http://www.kfki.hu/fszemle/archivum/fsz9905/bor.html>

Dennis Gabor, the inventor of holography.

(5 June 1900, Budapest – 8 February 1979, London)

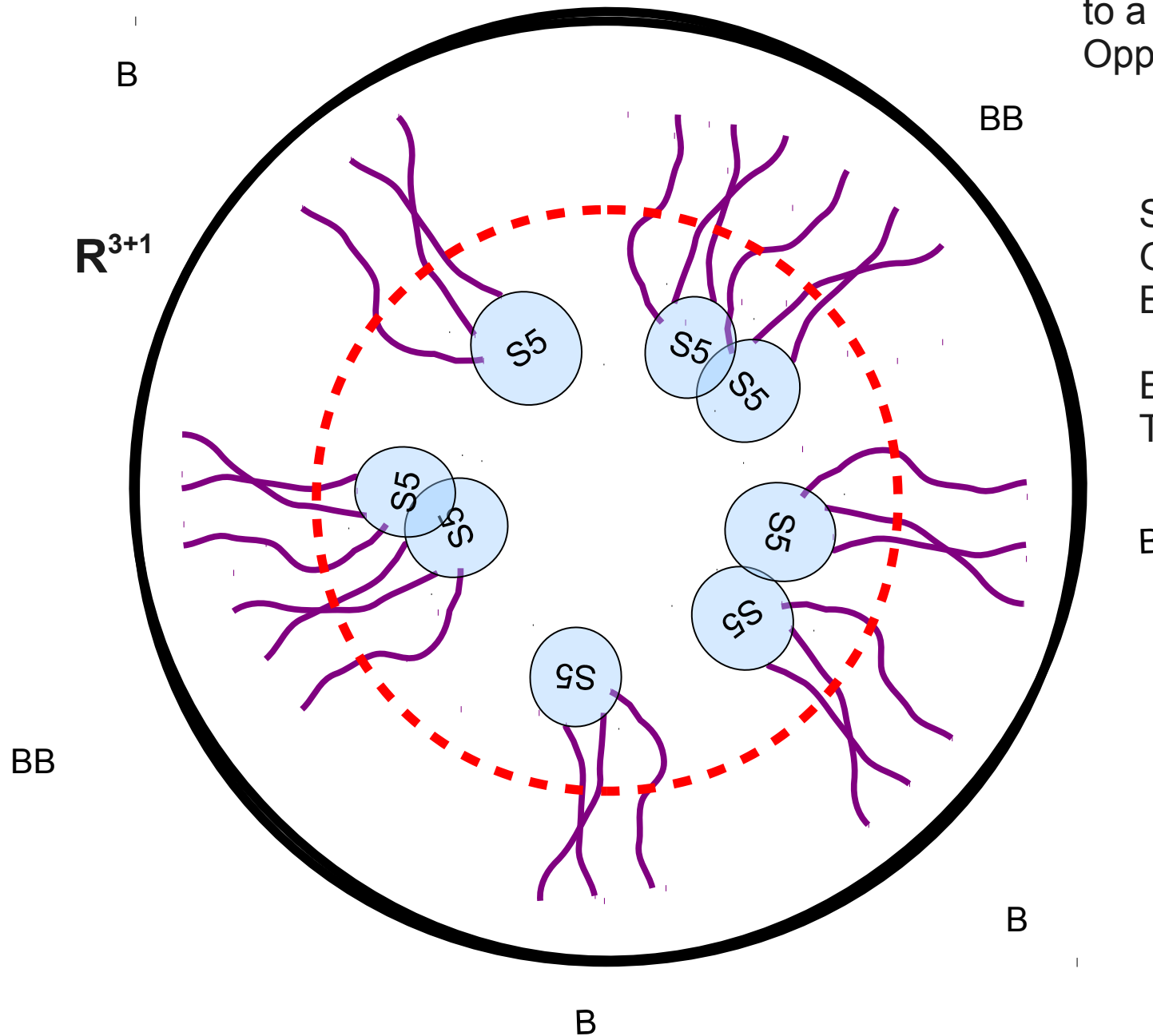
Coherent Interfering reflected wave and reference waves recorded on 2D film
Encodes **phase** and **amplitude** information about the 3D objects in the “Bulk”

=> Classical Wave Holography



Dense Correlated Nuclear Matter in AdS/CFT

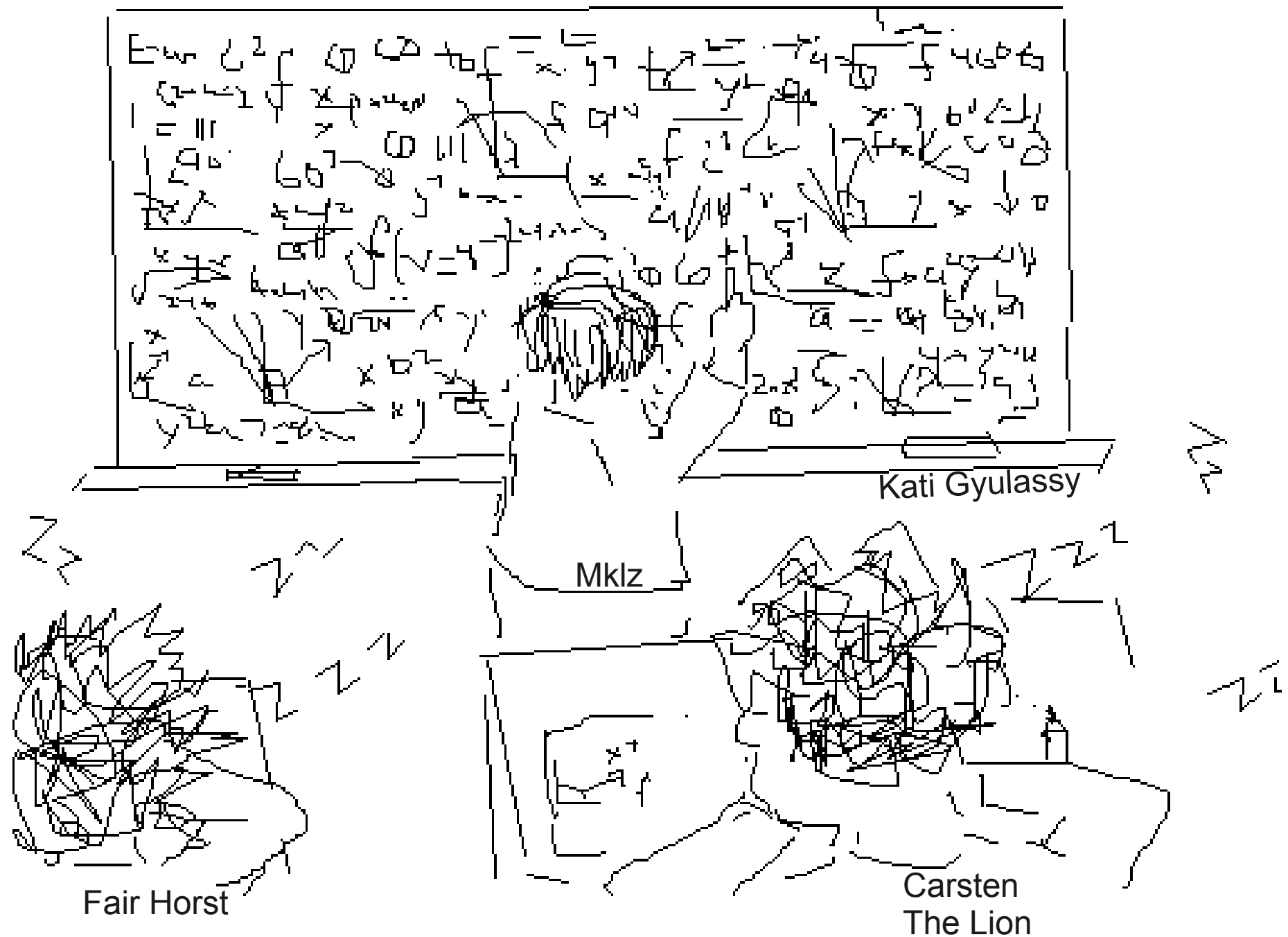
Every 5D “point”
In AdS5 attached
to a 5D ball with
Opposite curvature



Speculative 10D
Geometry with
Baryon Junctions

Extrapolated down
To $N_c=3$ real world

“Ah Ha! Baryons are 10D Junction Knots that FAIR can untie!”



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sQGP

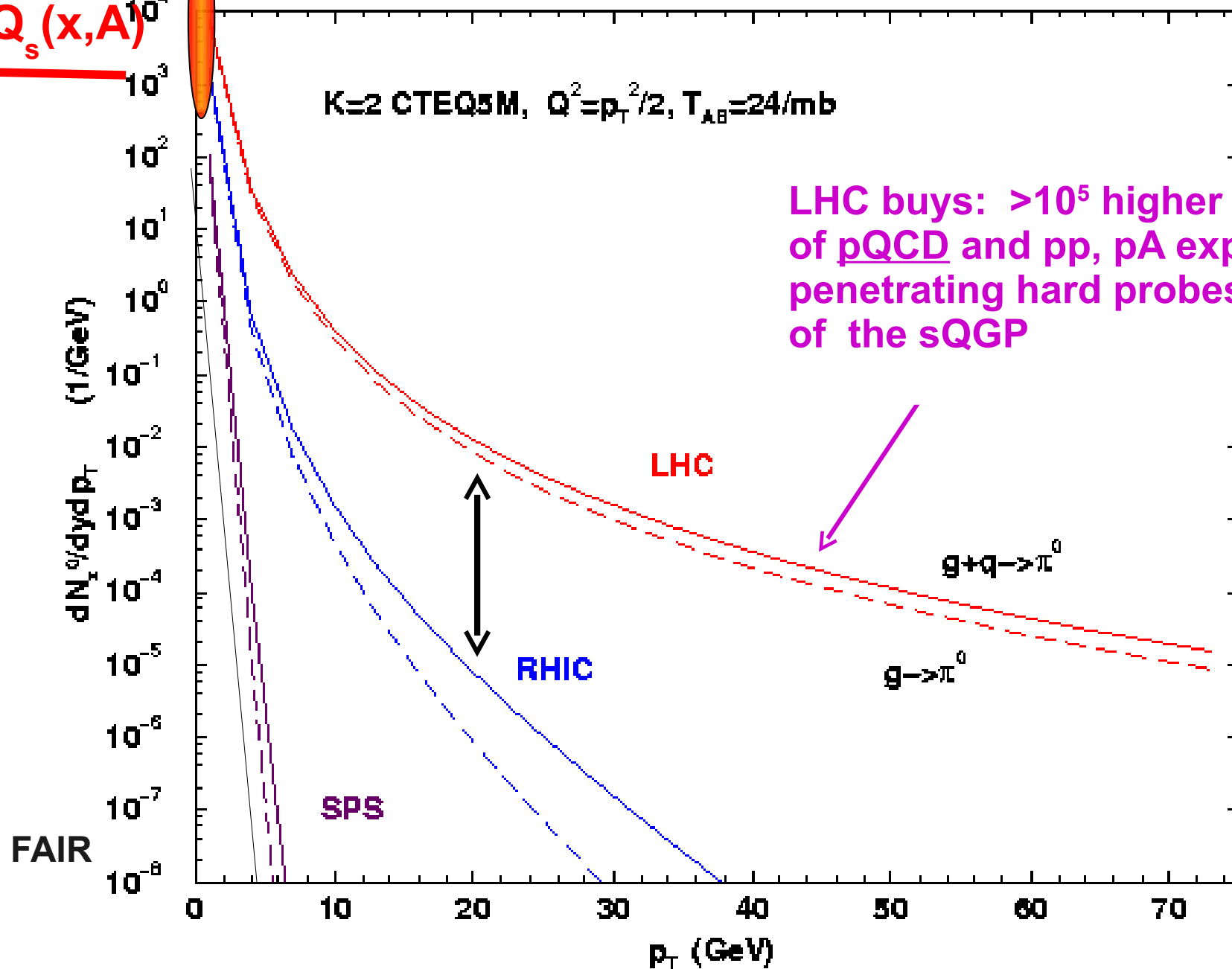
$Au+Au (b<3) \rightarrow \pi^0$ $\sqrt{s} = 20, 200, 5500$ AGeV

X.Wang, I.Vitev, MG

$p_T < Q_s(x, A)$

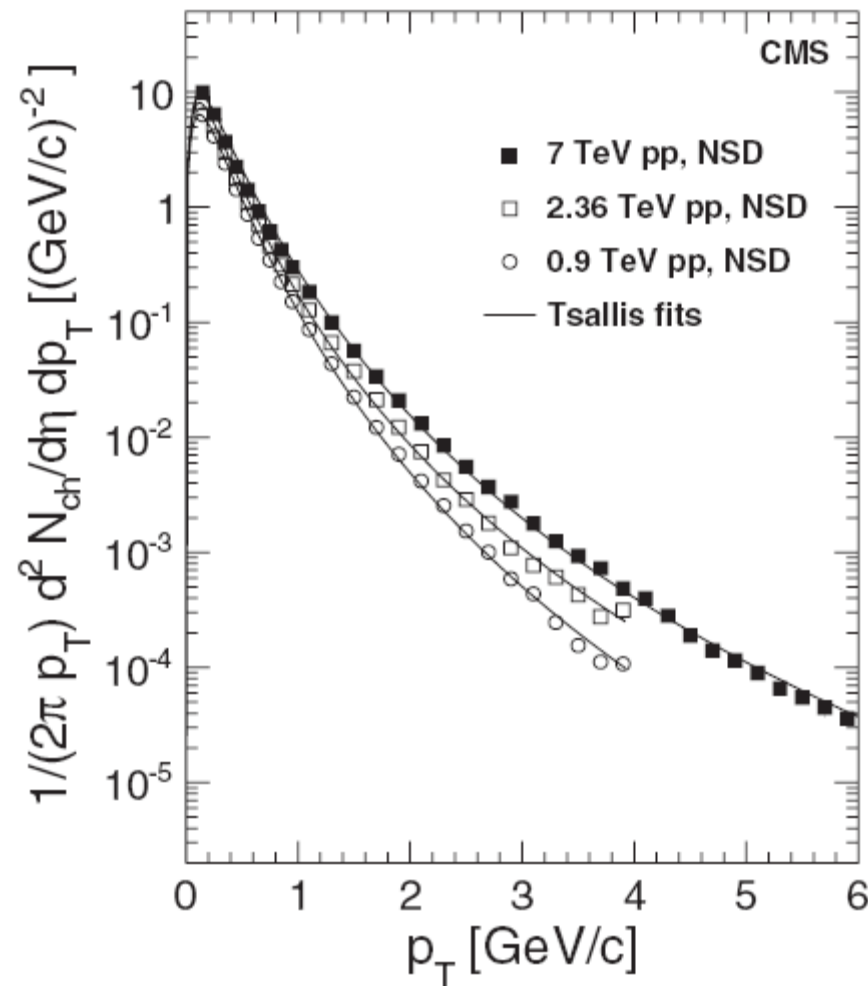
$K=2$ CTEQ5M, $Q^2 = p_T^2/2$, $T_{AB}=24$ /mb

LHC buys: $>10^5$ higher flux
of pQCD and pp, pA exp. calibrated
penetrating hard probes
of the sQGP



High p_T “hard” observables probe the “soft” sQGP

First moderate pT “non-extensive” fits at LHC in p+p



$$E \frac{d^3 N_{ch}}{dp^3} = \frac{1}{2\pi p_T} \frac{E}{p} \frac{d^2 N_{ch}}{d\eta dp_T} = C \frac{dN_{ch}}{dy} \left(1 + \frac{E_T}{nT}\right)^{-n}$$

At 7 TeV
 $n=6.6$
 $T=145$ MeV

T. S. Biro', G. Purcsel, and K. U'rmossy, Eur. Phys. J. A 40,325 (2009).

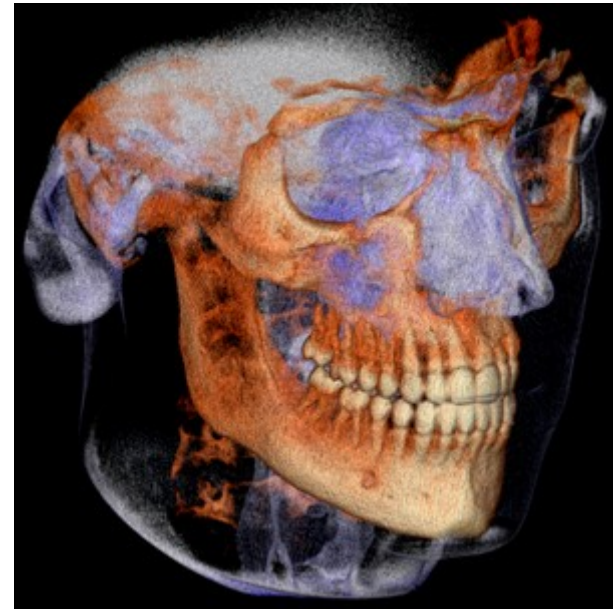
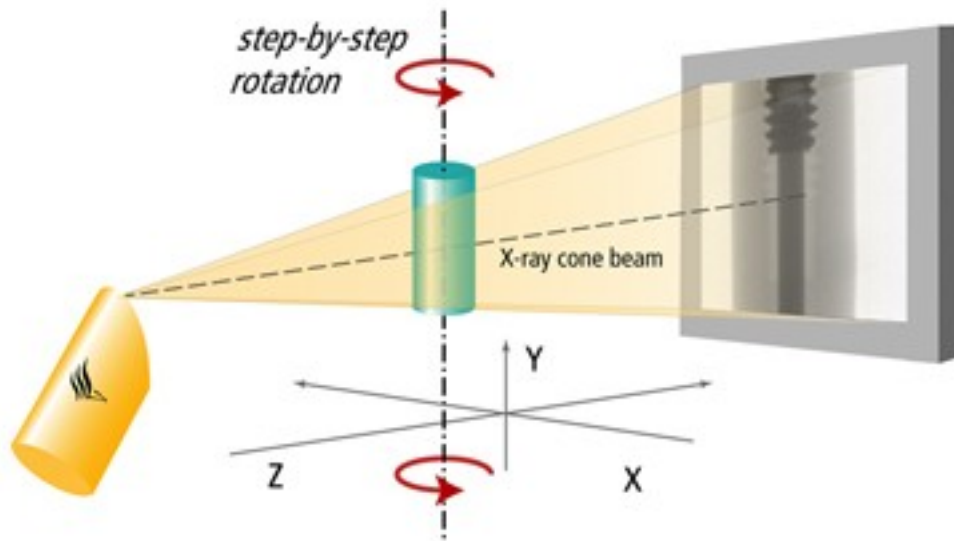
Low p_T pion interferometric Corona-graphy

High p_T QCD Jet Tomography

10D Heavy Jet Holographic duals

In contrast , Ideal **Volumetric Tomography** uses

- 1) Controlled initial flux of *incoherent* beam of **penetrating probes**
- 2) a **detailed dynamical theory** of probe energy loss and differential scatt $dN/dy d^2k_T$
- 3) a cooperative **(not too wiggly, i.e. non-fluctuating)** patient

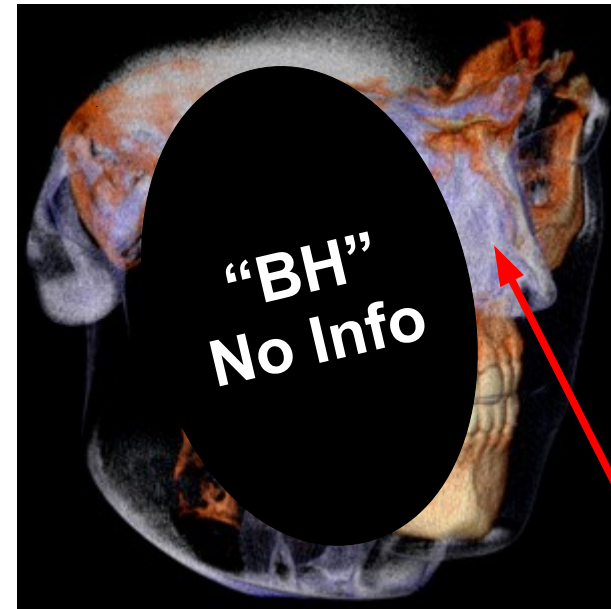
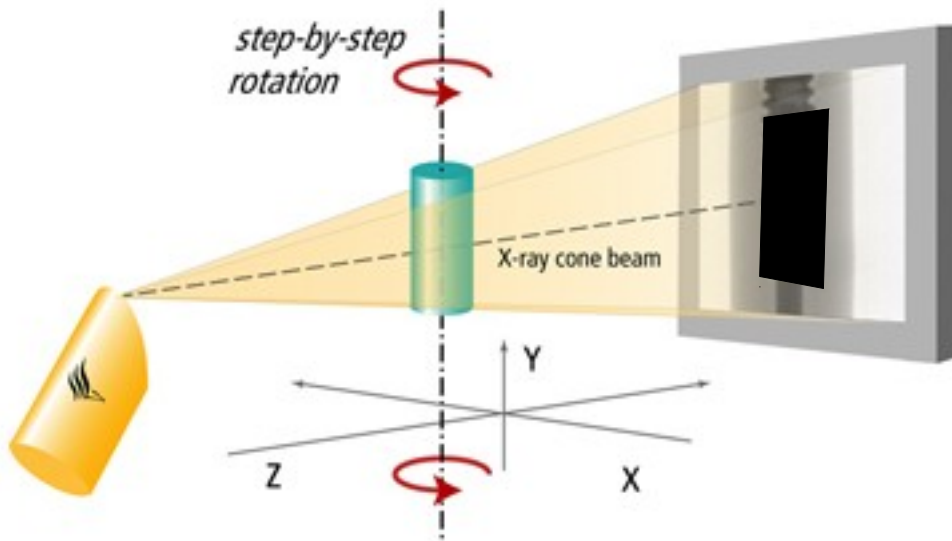


e.g, Cone-Beam Volumetric Tomography (CBVT)

Low dose 3D x-ray tomography in action at your nearest dentist

Only “Surface” Corona-graphy is possible when

- 1) Probe is **strongly absorbed** in the volume (*e.g. E+M from the sun)
- 2) We need **detailed dynamical theory** of **surface emission** physics of Moderate Opacity $N < 10$ region between interior matter and the vacuum
- 3) A cooperative (**not too wiggly, i.e fluctuating**) patient/subject

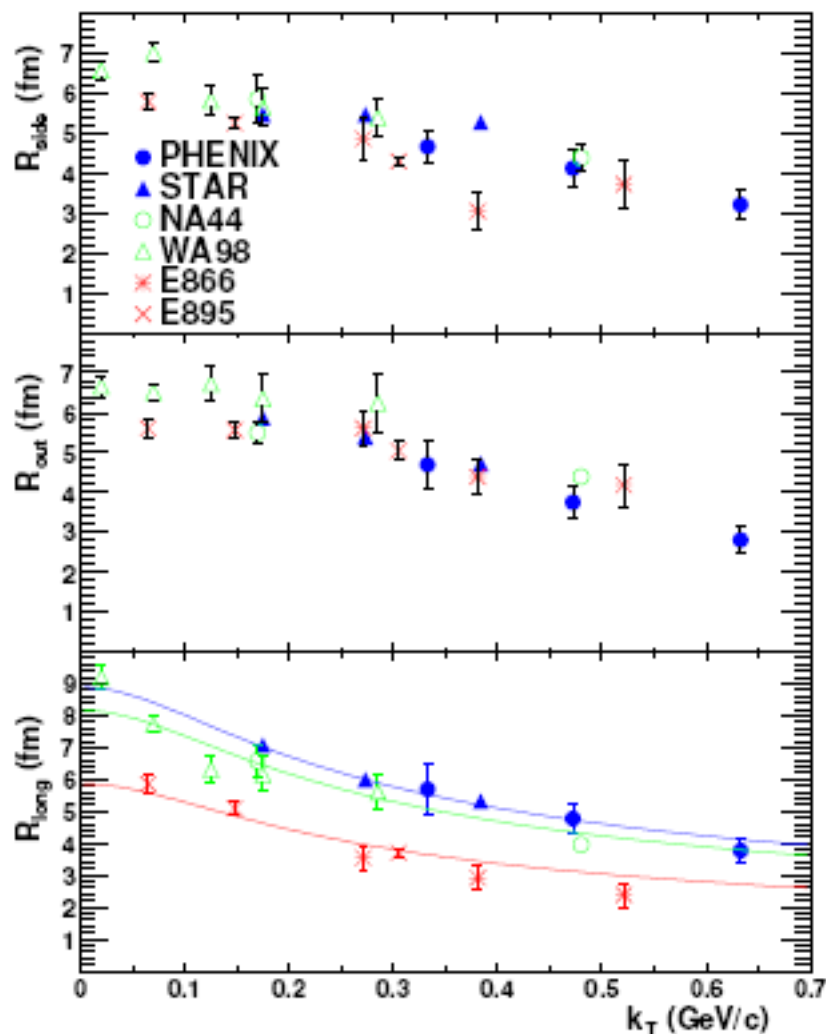


~~Cone-Beam Volumetric Tomography (CBVT)~~

~~Low dose 10 sec x-ray 3D tomograph~~

Only the
Boundary “Corona”
Surface layer
Can be imaged
In this case

Surprising Pion Coronagraphy results from SPS- RHIC



HBT Interferometry of pion corona ruled out the “slowly burning QGP log” time delay signal that ***could have*** provided direct evidence For a 1st order QCD deconfinement transition.

Data consistent with Z.Fodor et al’s Lattice QCD slow cross-over QCD “butter” transition

Regions of “homogeneity” are remarkably ***Independent*** of Initial.Conditions. vs s

Why Is the Null HBT Result at RHIC So Interesting?

M. Gyulassy¹ and D.H. Rischke²

Bose symmetrization induces an interference between pion amplitudes [15, 16]:

$$P_n(\mathbf{k}_1, \dots, \mathbf{k}_n) \propto \left\langle \sum_{\sigma} \prod_{j=1}^n e^{i(k_j - k_{\sigma_j}) \cdot x_j} \delta_{\Delta}(k_j, k_{\sigma_j}, p_j) \right\rangle, \quad (1)$$

with the smoothed delta function given by

$$\delta_{\Delta}(k, k', p) = (2\pi\Delta p^2)^{-3/2} \exp \left(\frac{1}{2} [p - \frac{1}{2}(k + k')]^2 / \Delta p^2 + \frac{1}{2}(k - k')^2 \Delta x^2 \right). \quad (2)$$

The brackets $\langle \dots \rangle$ denotes the ensemble average over the $7n$ pion *freeze-out* space coordinates $\{x_1, p_1, \dots, x_n, p_n\}$. The smoothed delta function arises if Gaussian wavepackets are assumed. The widths Δx and Δp depend on details of the pion

2nd Order (HBT) interferometry tries to invert **6D** (**q,K**) Bose correlations to extract **7D** (**dp₁₂, dr₁₂, dt₁₂**) **phasespace-time** freezeout “homogeneity” volume information

$$C(k_1, k_2) = C_2(q, K) = 1 +$$

Degree of **Incoherence** $\rightarrow \lambda \frac{\langle \cos(q \cdot (\beta_K(t_1 - t_2) - (r_1 - r_2))) e^{-q^2 \Delta x^2} \delta_{\Delta p}^3(K - p_1) \delta_{\Delta p}^3(K - p_2) \rangle}{\langle \delta_{\Delta p}^3(k_1 - p_1) \rangle \langle \delta_{\Delta p}^3(k_2 - p_2) \rangle}$

Some Source Fits giving $R_{out}=R_{side}=R_K$

$$\frac{dN}{dx_{out} dt_f}$$

$$R_{out}^2 = \langle (x_{out} - v_K t_f)^2 \rangle - \langle (x_{out} - v_K t_f) \rangle^2 \approx \Delta(x_{out} - v_K t_f)^2$$

$$\sqrt{3} R_K$$

$$x_o^\pm \equiv \frac{x_{out} \pm t_f}{\sqrt{2}}$$

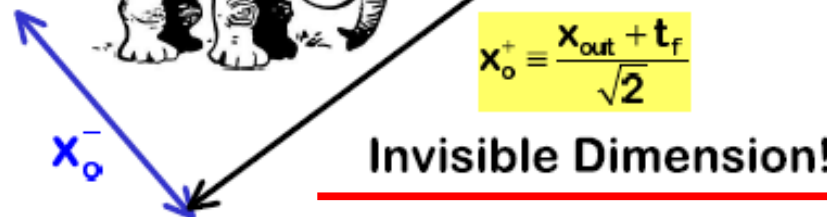
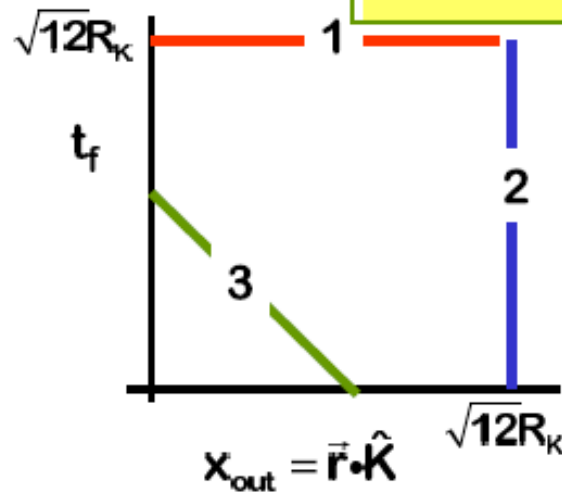
$$1) \delta(t_f - \tau) \theta(x_0 < x_{out} < x_0 + \sqrt{12} R_K) \frac{1}{\sqrt{12} R_K}$$

$$2) \delta(x_{out} - x_0) \theta(\tau < t_f < \tau + \sqrt{12} R_K) \frac{1}{\sqrt{12} R_K}$$

$$3) \theta(x_0 < x_o^- < x_0 + \sqrt{\frac{3}{2}} R_K) f(x_o^+) \frac{\sqrt{\frac{2}{3}}}{R(K)}$$



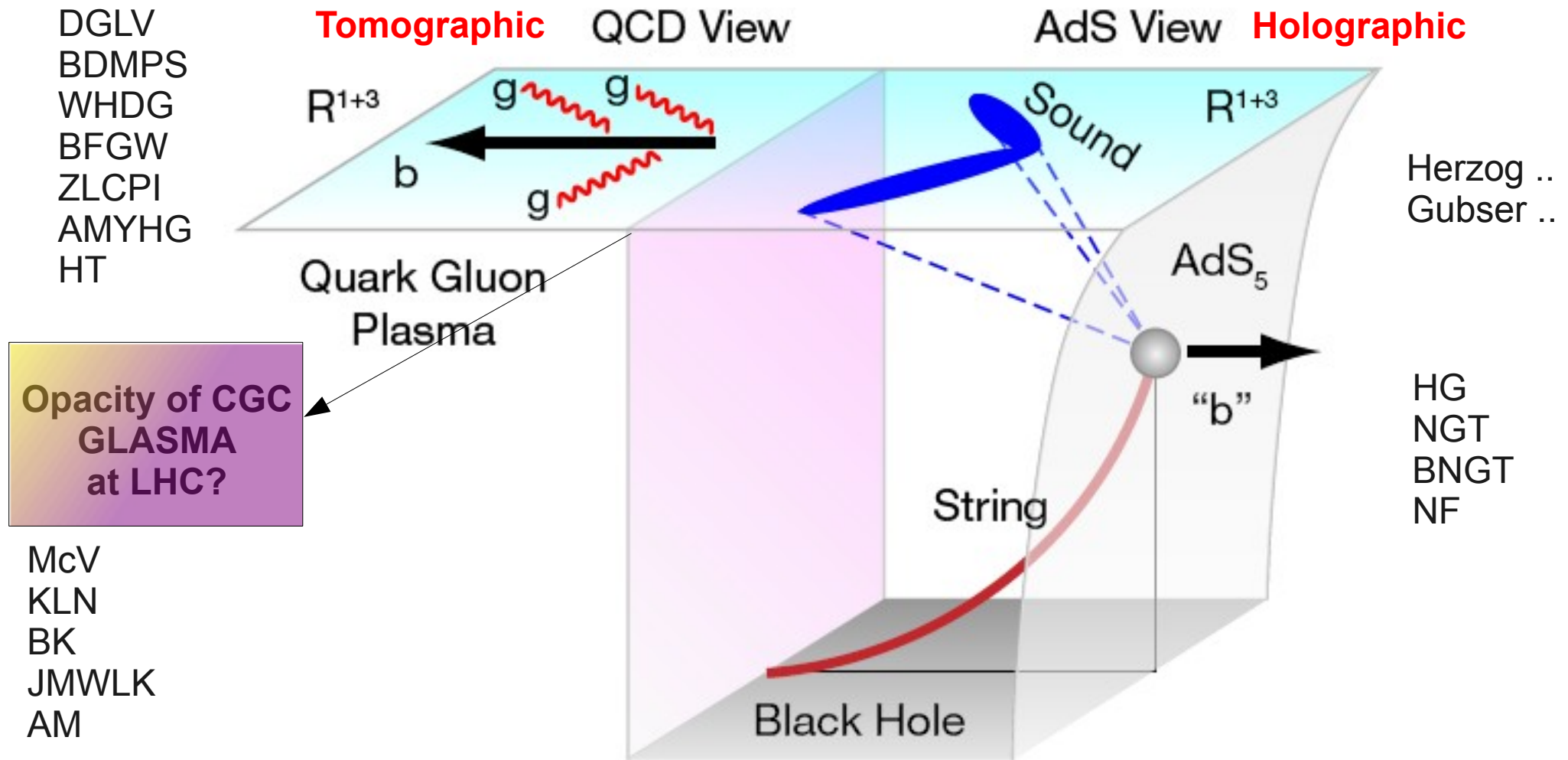
4) Herd of elephants Distributed along Light cone give Same $C(q,K)$!!



$$x_o^\pm \equiv \frac{x_{out} \pm t_f}{\sqrt{2}}$$

Invisible Dimension!

Fig. 3. The invisible HBT $x_o^\pm \propto v_T \cdot r + t$ dimension! Beware of elephant herds.



Which paradigm can resolve the bottom quark puzzle ?

Will CGC saturation at LHC cloud jet tomography ?

DGLV Theory of Mass M Quark Jet radiation + thermal glue dispersion general n-th order in opacity induced gluon radiation

$$x \frac{dN^{(n)}}{dx d^2\mathbf{k}} = \frac{C_R \alpha_s}{\pi^2} \frac{1}{n!} \int \prod_{i=1}^n \left(d^2\mathbf{q}_i \frac{L}{\lambda_g(i)} [\bar{v}_i^2(\mathbf{q}_i) - \delta^2(\mathbf{q}_i)] \right) \\ \times \left(-2\tilde{C}_{(1,\dots,n)} \sum_{m=1}^n \tilde{B}_{(m+1,\dots,n)(m,\dots,n)} \right. \\ \left. \times \left[\cos\left(\sum_{k=2}^m \Omega_{(k,\dots,n)} \Delta z_k\right) - \cos\left(\sum_{k=1}^m \Omega_{(k,\dots,n)} \Delta z_k\right) \right] \right)$$

$$\Delta z_k = z_k - z_{k-1} \\ \sim L / (n+1)$$

**Formation Time
QCD LPM Effect**

$$\omega_{(m,\dots,n)} = \frac{(\mathbf{k} - \mathbf{q}_m - \dots - \mathbf{q}_n)^2}{2xE} \rightarrow \Omega_{(m,\dots,n)} \equiv \omega_{(m,\dots,n)} + \frac{m_g^2 + M^2 x^2}{2xE}$$

**Current elements
“Dead Cones”**

$$\tilde{H} = \frac{\mathbf{k}}{\mathbf{k}^2 + m_g^2 + M^2 x^2},$$

$$\tilde{C}_{(i_1 i_2, \dots, i_m)} = \frac{(\mathbf{k} - \mathbf{q}_{i_1} - \mathbf{q}_{i_2} - \dots - \mathbf{q}_{i_m})}{(\mathbf{k} - \mathbf{q}_{i_1} - \mathbf{q}_{i_2} - \dots - \mathbf{q}_{i_m})^2 + m_g^2 + M^2 x^2}$$

$$\tilde{B}_i = \tilde{H} - \tilde{C}_i,$$

$$\tilde{B}_{(i_1 i_2, \dots, i_m)(j_1 j_2, \dots, j_n)} = \tilde{C}_{(i_1 i_2, \dots, j_m)} - \tilde{C}_{(j_1 j_2, \dots, j_n)}.$$

The quenched spectra of partons, hadrons, and leptons are calculated as in [11] from the generic pQCD convolution

$$\frac{E d^3\sigma(e)}{dp^3} = \frac{E_i d^3\sigma(Q)}{dp_i^3} \otimes P(E_i \rightarrow E_f) \otimes D(Q \rightarrow H_Q) \otimes f(H_Q \rightarrow e), \quad (1)$$

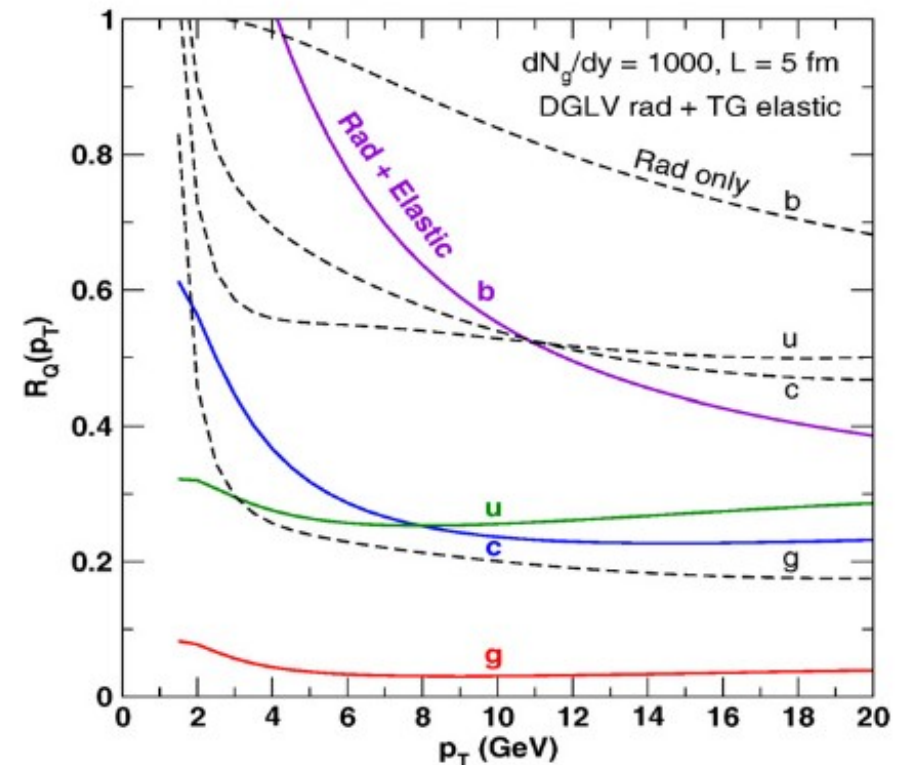
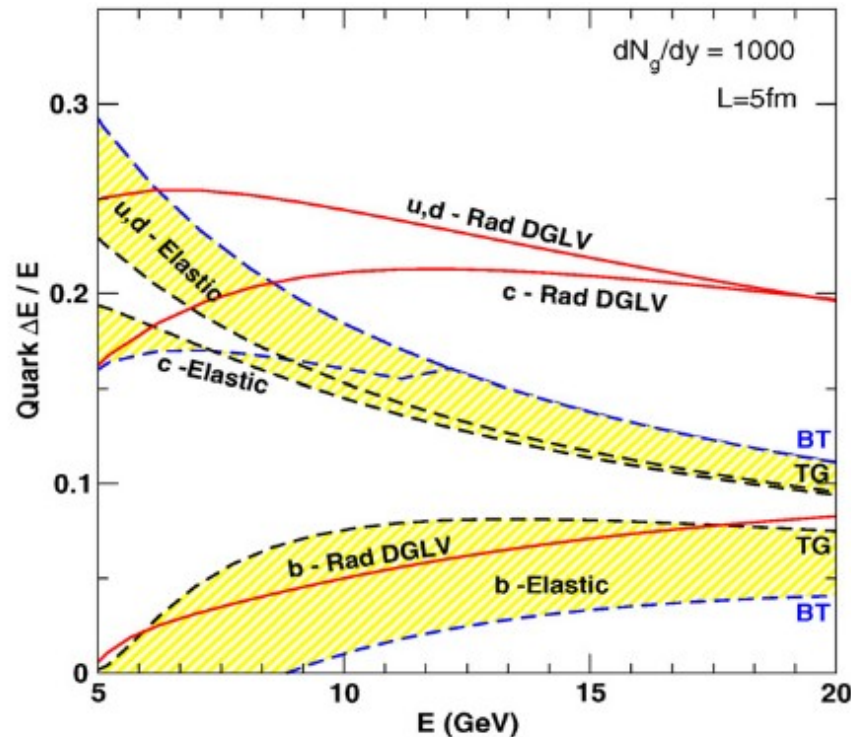
$$P(E_i \rightarrow E_i - \Delta_{\text{rad}} - \Delta_{\text{el}}) = \int \frac{d\phi}{2\pi} \int \frac{d^2\vec{x}_\perp}{N_{\text{bin}}(b)} T_{AA}(\vec{x}_\perp, \vec{b}) \otimes P_{\text{rad}}(\Delta_{\text{rad}}; L(\vec{x}_\perp, \phi)) \otimes P_{\text{el}}(\Delta_{\text{el}}; L(\vec{x}_\perp, \phi)).$$

$$R_Q^{\text{II}}(p_T, L_Q) \equiv \langle (1 - \epsilon_Q^r(L_Q))^n (1 - \epsilon_Q^e(L_Q))^n \rangle_{\Delta E}$$

S. Wicks et al. / Nuclear Physics A 784 (2007) 426–442

Assumes hadronization *in vacuum*
Open question: effects of HRG $T < T_c$?

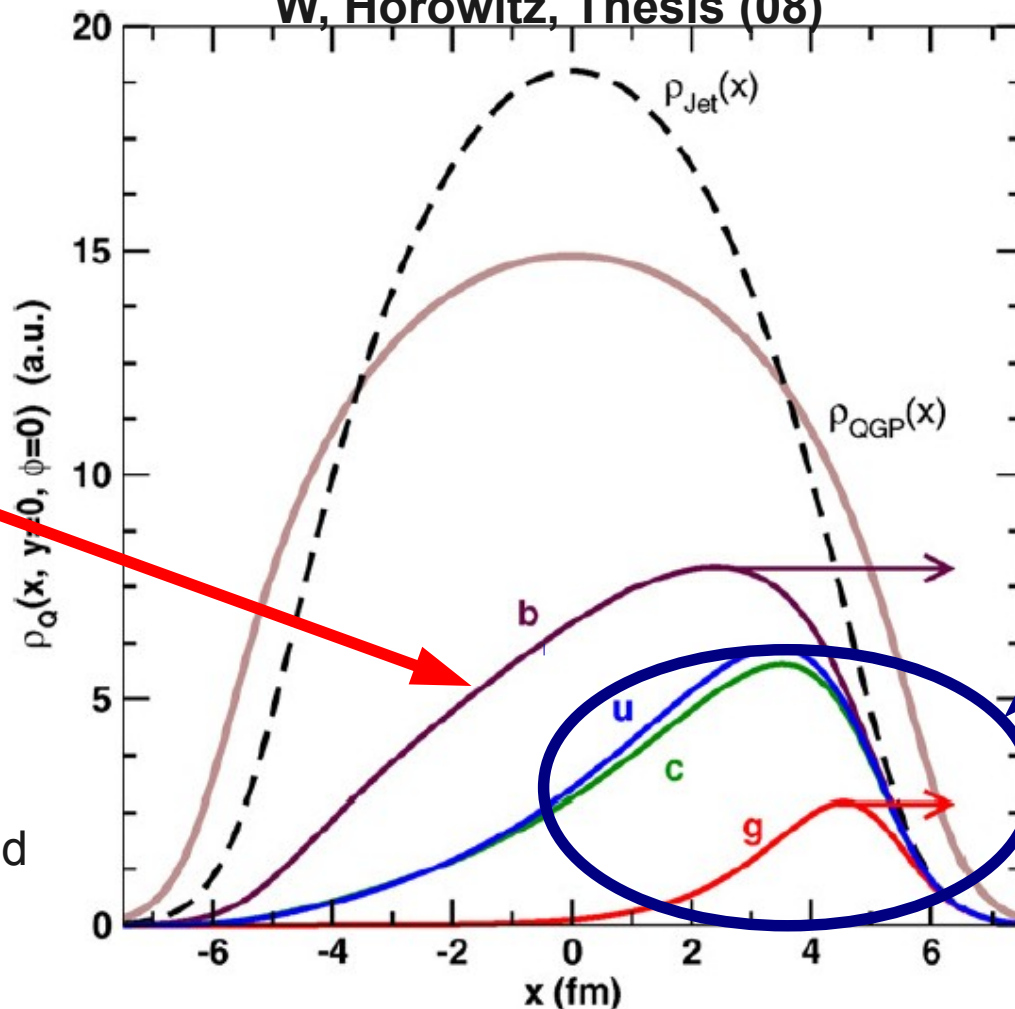
S. Wicks et al. / Nuclear Physics A 784 (2007) 426–442



Why Jet Tomography evolved into Jet Corona-graphy

S. Wicks et al. / Nuclear Physics A 784 (2007) 426–442

W, Horowitz, Thesis (08)



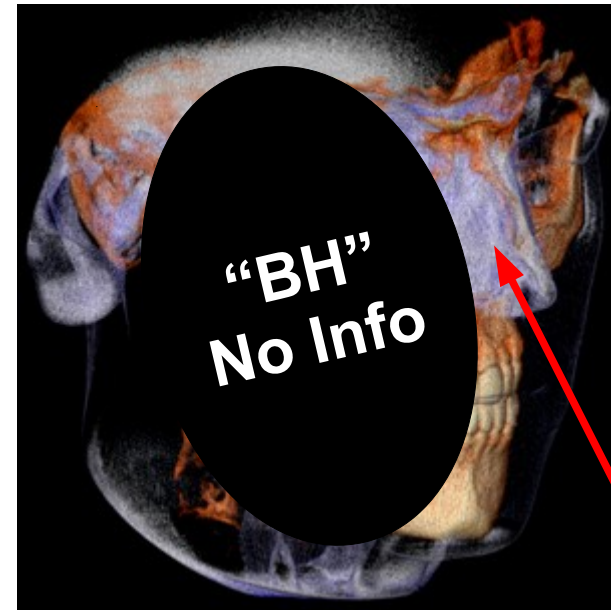
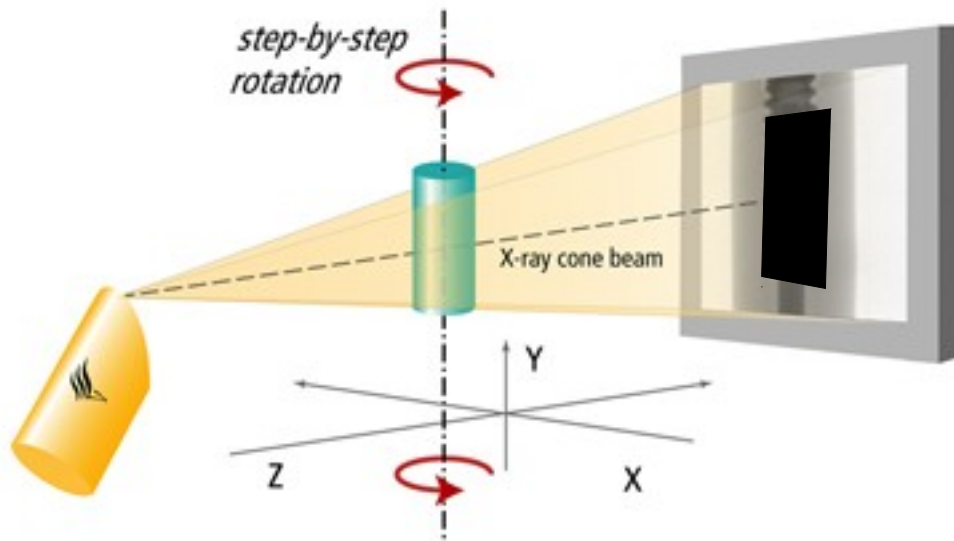
At RHIC $p_T < 20$
Bottom quarks are
the only Volumetric
pQCD Probes
of HTL-wQGP

g, u, d, s, c jets
Useful only to
Probe the “Corona”
Even at $\alpha_s \sim 0.3$

Secondary EM probes
 $q \rightarrow q + \gamma + e + \mu$
Also give bulk info
But dynamic background
Needs better control

Recall Only “Surface” Corona-graphy is possible when

- 1) Probe is **strongly absorbed** in the volume (**RAA~0.2** << 1 at RHIC)
- 2) We now have **detailed dynamical theory** (DGLV-BFW-MC) of **Moderate Opacity $N < 10$** jet quenching
- 3) But is sQGP **not too wiggly, i.e fluctuating ??**



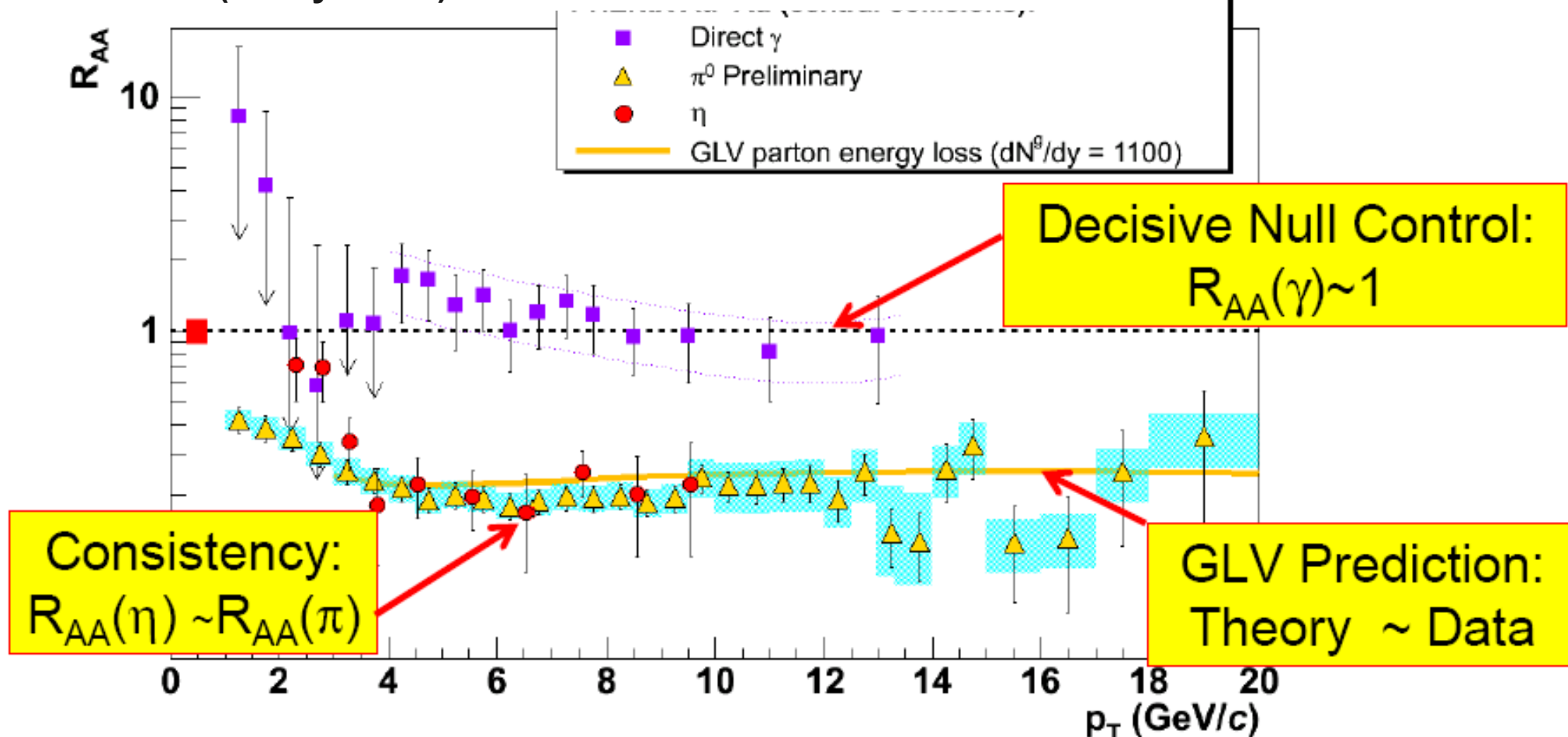
Only the
“Corona”
Can be imaged
In this case

Light quark/gluon jet tomography pQCD theory passed many key

RHIC exp. tests: A, Multiplicity, Ebeam, pT, flavor dependence

PHENIX

Opacity consistent with observed global entropy production
($dN/dy \sim 1000$)



Suppression is very strong ($R_{AA} = 0.2!$) and flat up to 20 GeV/c
Common suppression for π^0 and η ; it is at partonic level

$\varepsilon > 15 \text{ GeV/fm}^3$; $dN_g/dy > 1000$

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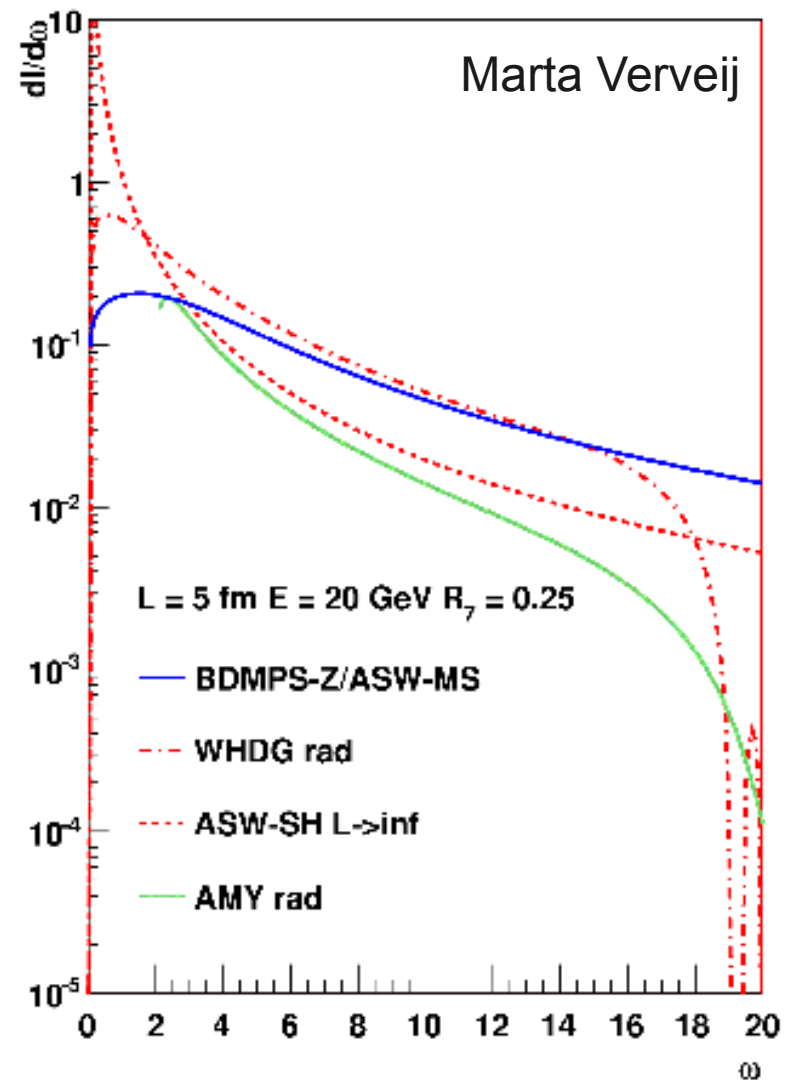
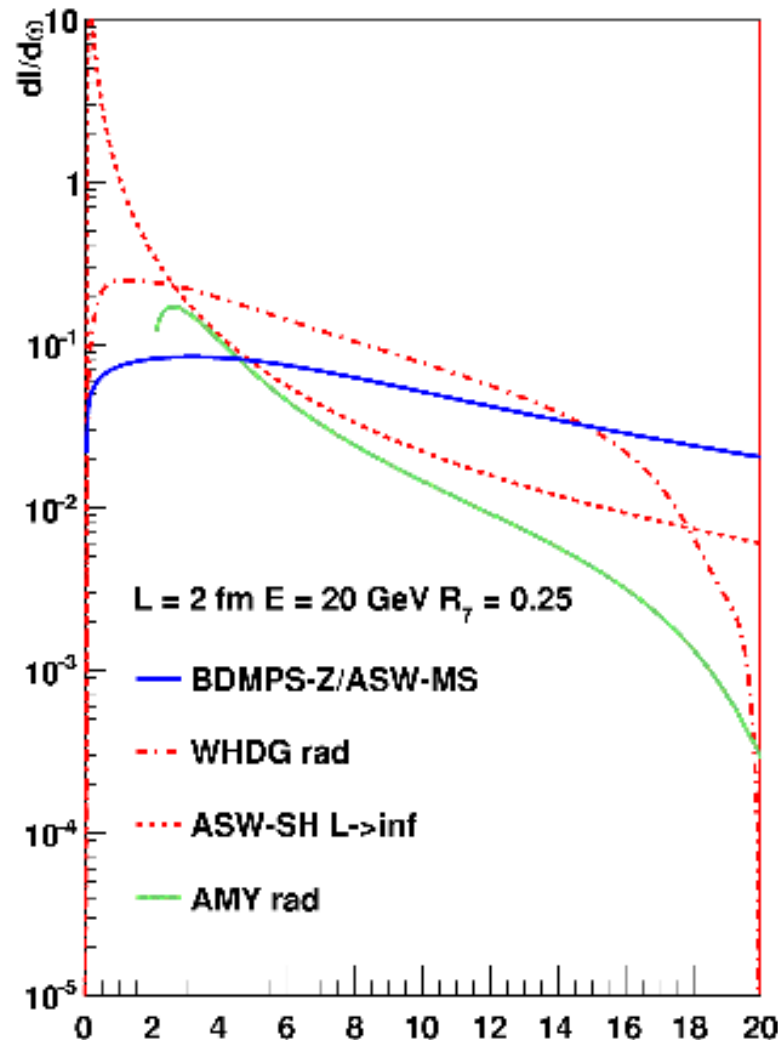
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Previously many different, *apparently* inconsistent “tomographic solutions” could account for same RAA(pT) data



However, unlike in HBT case, improved MC based theory can resolve differences. DOE/JET collab project aims to quantify this

Our recent JET collab progress on numerical MC interpolation between $N=1$ and $N=\infty$

Buzzatti, Ficnar, Gyulassy, Wicks, to be published

DGLV & ASW

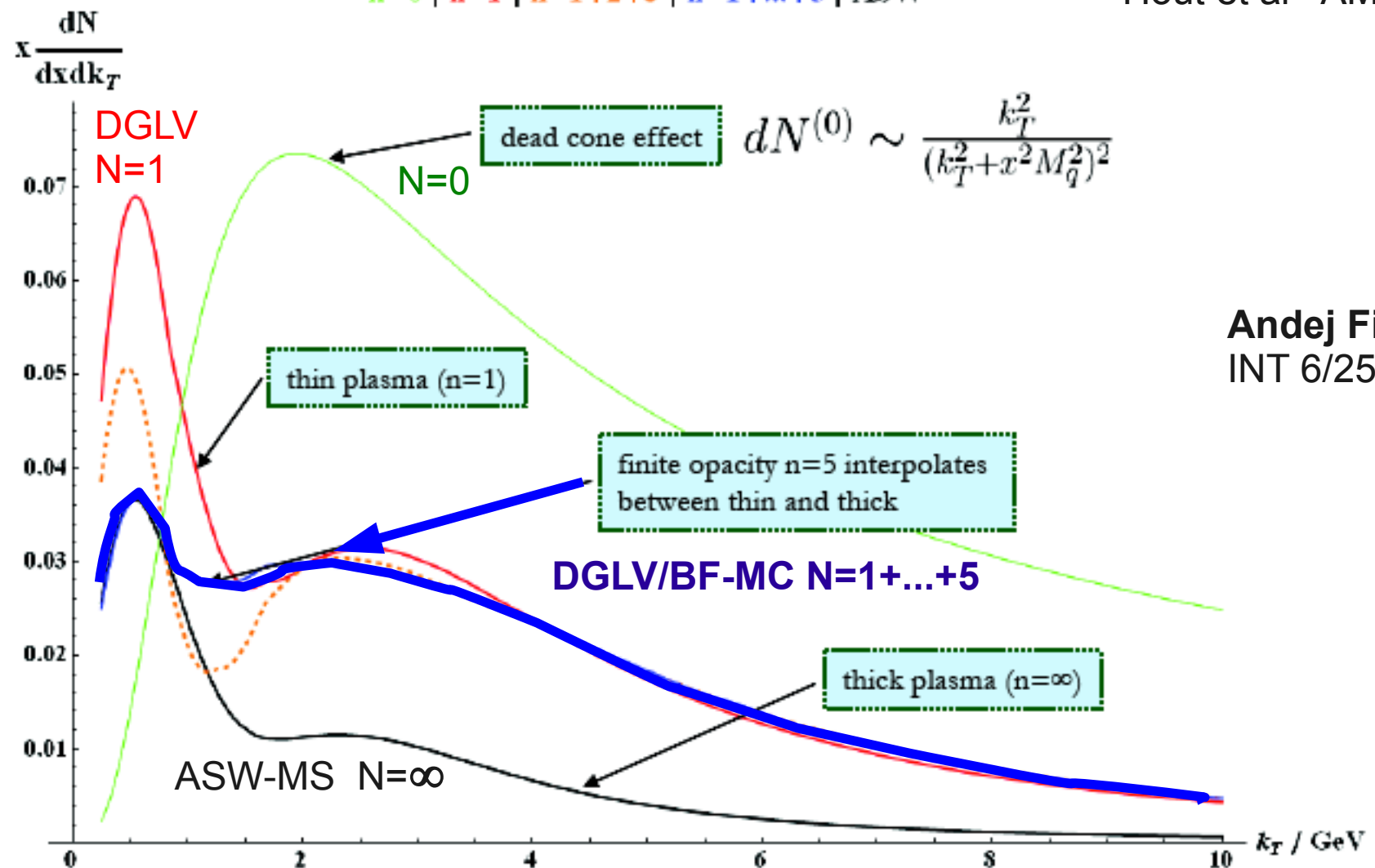
$E=20, x=0.25, M_q=4.5, m_g=0, \mu=0.5, \lambda=1, L=5$

$n=0$ | $n=1$ | $n=1+2+3$ | $n=1+\dots+5$ | ASW

See also:

Zakharov et al LCPI

Hout et al AMY-HG



Andej Ficnar
INT 6/25/10

With DGLV-BFW-MC we solved the q_{hat} puzzle of why BDMS/ASW need such Unphysically high $q_{\text{hat}} \sim 10 \text{ GeV}^2/\text{fm}$

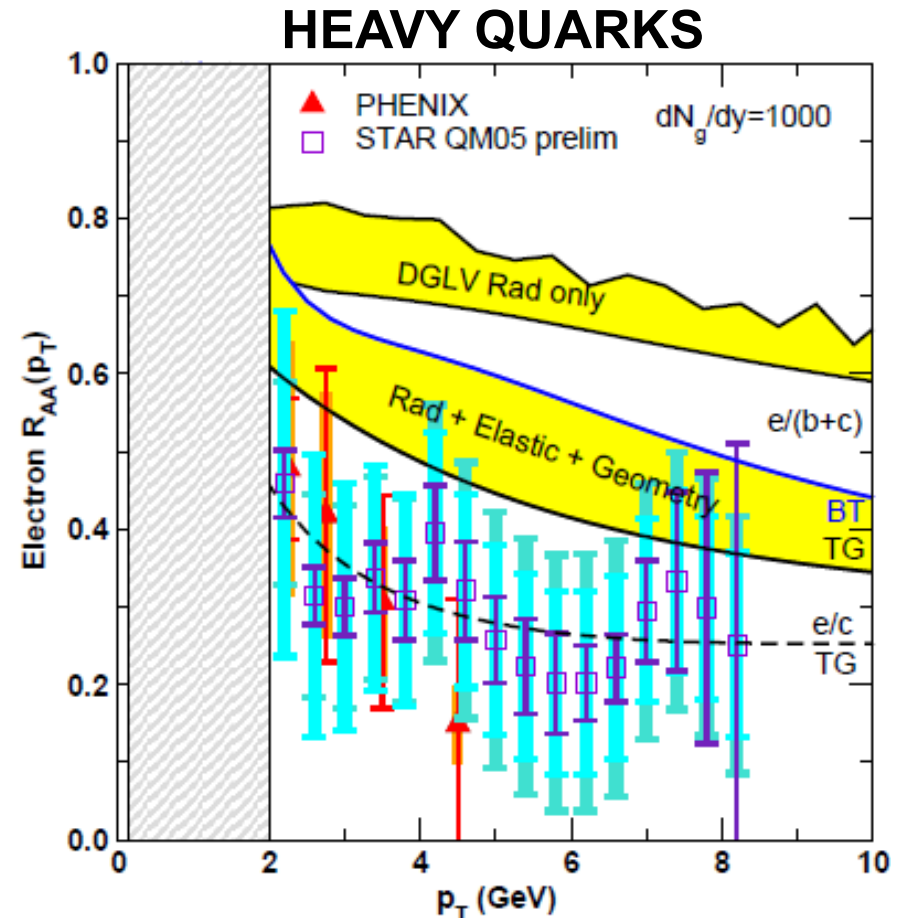
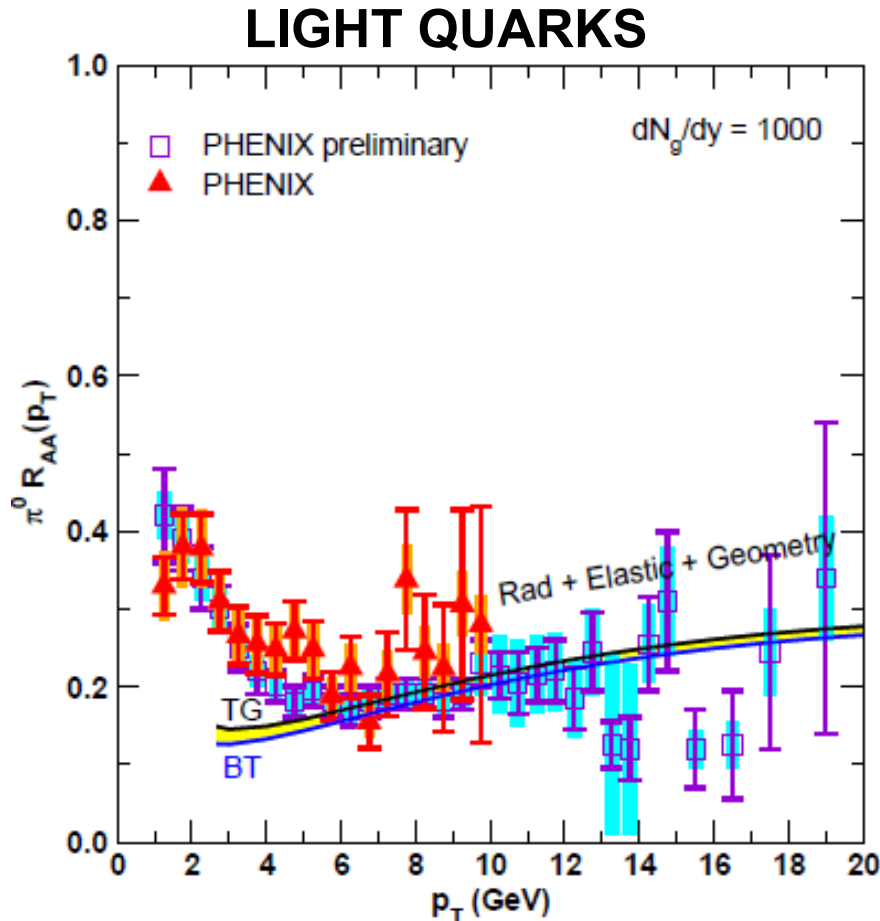
The q_{hat} story relies on multisoft Gaussian diffusion without $N=1$ hard k_T tails

**With Monte Carlo techniques we can now compute up to $N=10$
And interpolate smoothly between
 $N=1$ that underestimates q_{hat} and ASW $N=2$, ... infty that overestimate q_{hat}**

We also found that that simple q_{hat} scaling laws (Arnold) based on kinematics violating (pre-ASW) BDMS approximations do not apply in $N < 10$ AA applications at RHIC or LHC

**Most important result with DGLV-BFW-MC is that
Higher order opacity correlations with static GW do not solve Heavy Quark Jet Puzzle
Nor the high p_T large v_2 elliptic problem**

The Heavy Quark Puzzle $R_{AA}(p_T, M_b)$



Wicks, Horowitz, Djordjevic, Gyulassy / Nuclear Physics A783 (2007) 493-496

DGLV/WHDG predictions falsified by PHENIX, STAR
Charm + Bottom \rightarrow electron data in Au+Au 200A GeV RHIC

**A bottom quark of 15 GeV does not stop in a 5 fm in pQCD with $\alpha \sim 0.3$.
 Can moderate strong $\alpha \sim 0.5$ extrapolations of pQCD explain BOTH?
 Will data force us to abandon the pQCD paradigm?**

LHC with identified c and b Mesons up to 30 GeV will be critical in search for a clean heavy quark tomographic window on the QGP - *if it exists?*

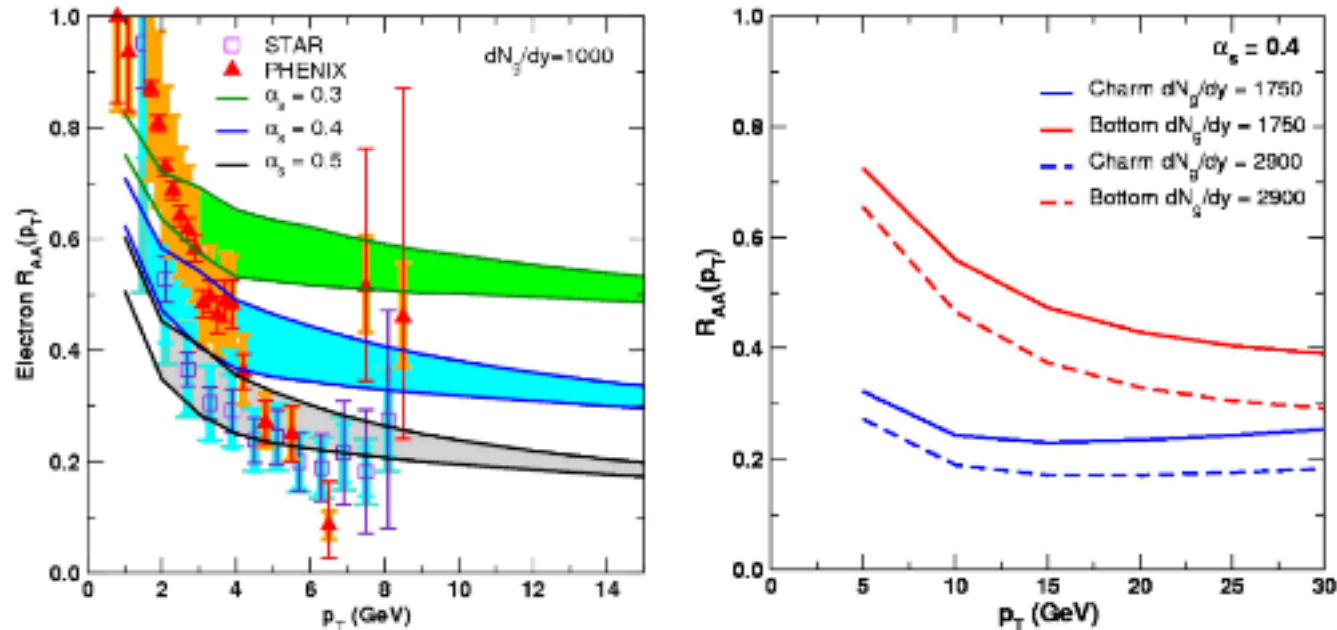


Figure 84: R_{AA} for observable products of heavy quark jets at RHIC (electrons - left) and two possible densities at the LHC (D and B mesons - right). There is considerable uncertainty in the perturbative production of c and b jets. This shows up in the results for electrons at RHIC in the large uncertainty band, ± 0.1 or greater - as the ratio of c to b jets is very uncertain. However, the uncertainty in D and B meson R_{AA} s is small (approximately ± 0.02) - the different slopes on the individual spectra have very little effect on the meson R_{AA} results.

Could **dynamic** HTL magnetic **scattering** + **dynamic geometry** help?

$$|V(q)|^2 = \left[\frac{\mu^2}{(q^2 + \mu^2)^2} \right]_{\text{stat}} \mapsto \left[\frac{\mu^2}{q^2(q^2 + \mu^2)} \right]_{\text{dyn}}$$

Static GW Model

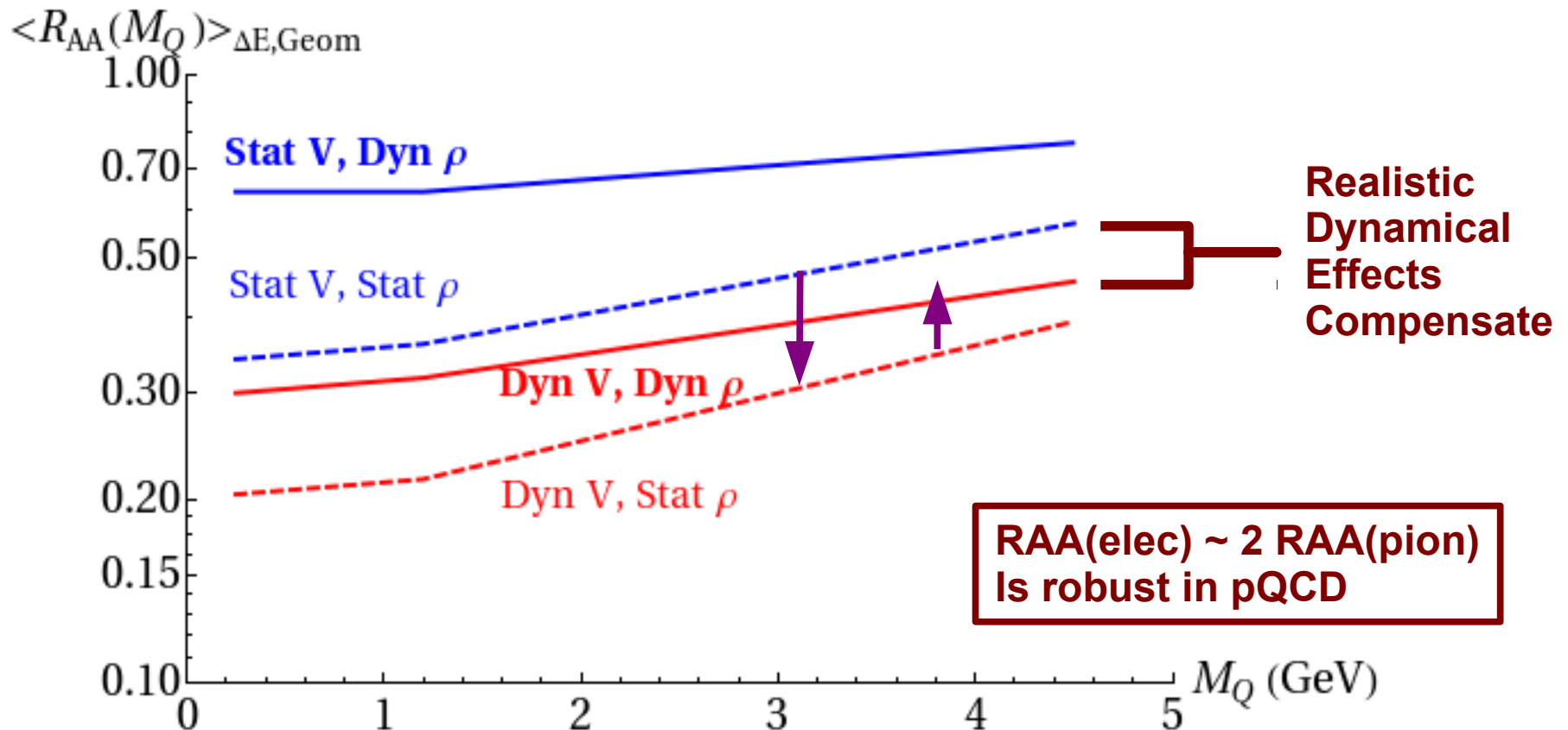
NonStatic HTL Model

$$\frac{\Delta E_{\text{dyn}}}{E} = \frac{C_R \alpha_s}{\pi} \frac{L}{\lambda_{\text{dyn}}} \int dx \frac{d^2 k}{\pi} \frac{d^2 q}{\pi} \frac{\mu^2}{q^2(q^2 + \mu^2)} \\ \times 2 \frac{k+q}{(k+q)^2 + \chi} \cdot \left(\frac{k+q}{(k+q)^2 + \chi} - \frac{k}{k^2 + \chi} \right) \left(1 - \frac{\sin\left(\frac{(k+q)^2 + \chi}{xE^+} L\right)}{\frac{(k+q)^2 + \chi}{xE^+} L} \right)$$

$$\chi \equiv M^2 x^2 + m_g^2 \quad (1-x) \quad \text{Heavy quark mass and thermal gluon mass effect}$$

This was answered by **A. Buzzatti** (LBL Jet Collab 6/19/10, INT 6/25/10)

R_{AA} with ΔE^{rad} and Geom fluctuations
and mean elastic loss



Dynamic magnetic scattering enhances both light and heavy energy loss similarly

But Bj expansion + diffuse surface geometry reduce energy loss of both similarly

Two dynamical effects largely compensate each other and
Do **Not** eliminate the heavy/light discrepancy with pQCD tomography

Part 1: Speculations about Baryonic Holograms at FAIR

Part 2: Holo vs Tomo vs Corona -graphy of Jet Quenching

Part 3: JET collab update: DGLV-BFW-MC of the $N < 10$ Corona

Part 4: Conformal Holography of Heavy Quark Jets and Bulk Elliptic Flow

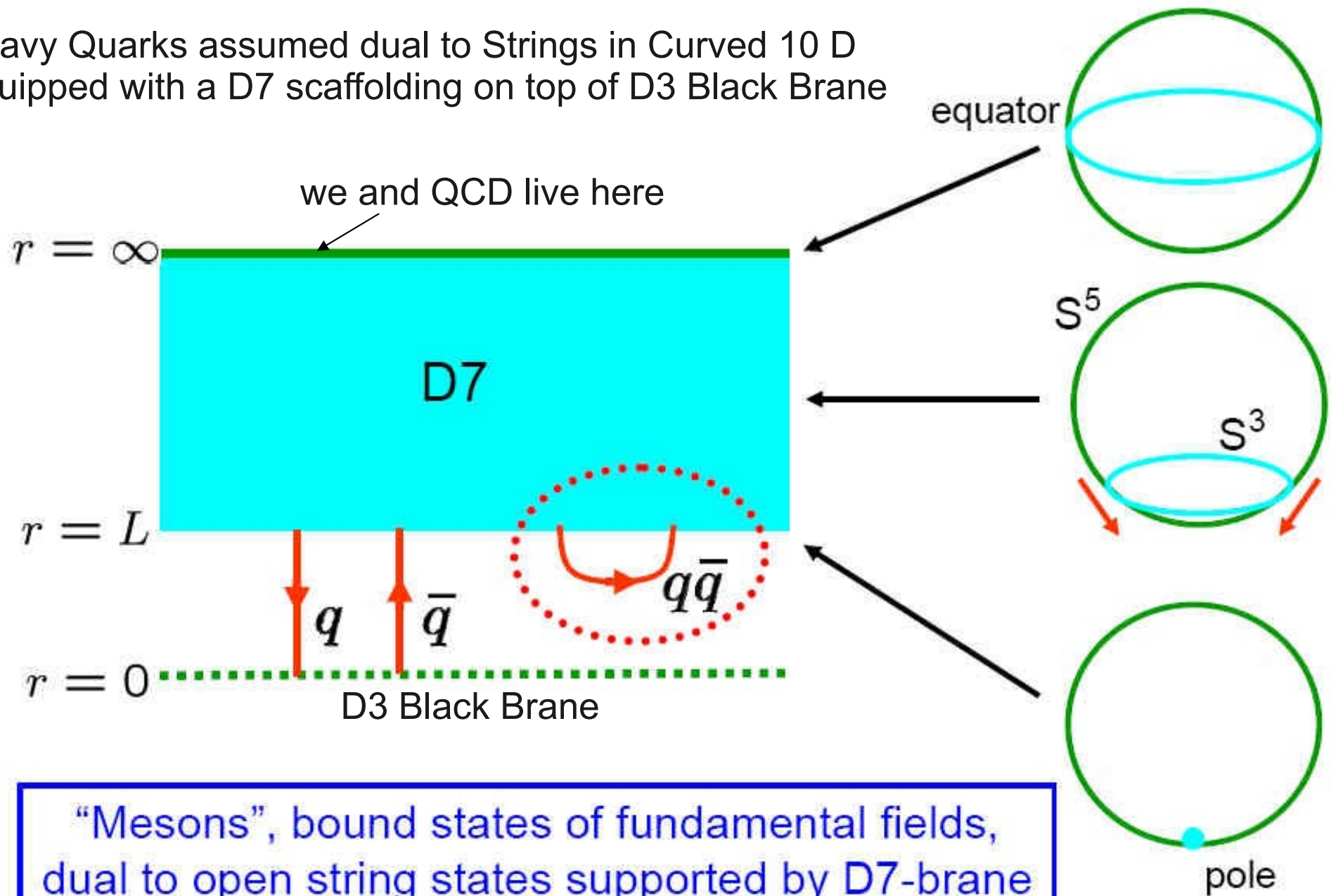
**Part 5: Overtime 1- Turbulent Initial Conditions with $\eta/s \ll 1$
 \Rightarrow [Jet, Bulk Flow] $\neq 0$**

**Part 6: Overtime 2: Demonic vs Angelic Flow Beyond Perfection at LHC
HRG CGC**

▪
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,

Heavy Quark dynamics in a Holographic AdS/CFT D7 Brane “setup”

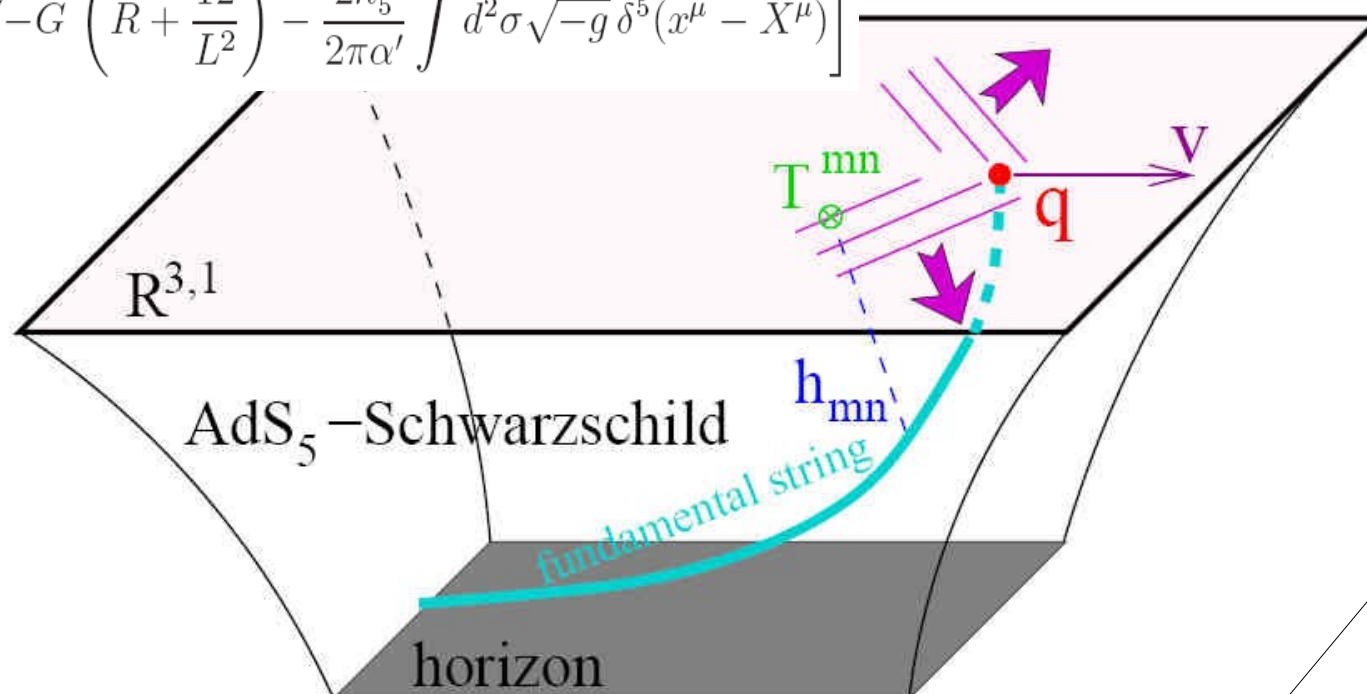
Heavy Quarks assumed dual to Strings in Curved 10 D
Equipped with a D7 scaffolding on top of D3 Black Brane



Gubser et al
Herzog et al

3. Jet Quenching in AdS/CFT

$$S = \frac{1}{2\kappa_5^2} \int d^5x \left[\sqrt{-G} \left(R + \frac{12}{L^2} \right) - \frac{2\kappa_5^2}{2\pi\alpha'} \int d^2\sigma \sqrt{-g} \delta^5(x^\mu - X^\mu) \right]$$

Very different
from pQCD

$$\frac{dp_T}{dt} = -\mu_Q p_T = -\frac{\pi\sqrt{\lambda}(T^*)^2}{2M_Q} p_T, \quad (1)$$

where T^* is the temperature of the SYM plasma as fixed by the Hawking temperature of the dual D3 black brane.

Conformal Holography : Nambu-Goto in an AdS5 + Black Brane background

“The 21st century Brachistochrone Problem”

$$g = \det g_{ab} = G_{\mu\nu} \partial_a X^\mu \partial_b X^\nu$$

$$S = \frac{1}{2\kappa_5^2} \int d^5x \left[\sqrt{-G} \left(R + \frac{12}{L^2} \right) - \frac{2\kappa_5^2}{2\pi\alpha'} \int d^2\sigma \sqrt{-g} \delta^5(x^\mu - X^\mu) \right]$$

stationary solution with curvature $\mathcal{R} = -12/L^2$. The t'Hooft coupling in the gauge theory is identified with L^2/α' , where $\sqrt{\alpha'} = \ell_s$ is the fundamental 10d string length. The α' expansion in the gravity dual description is mapped into a series in $1/\sqrt{\lambda}$ in the gauge theory

← World-sheet fluctuations

$$ds^2 = G_{00}(u)dt^2 + G_{xx}(u)d\vec{x}^2 + G_{uu}(u)du^2 \quad (5)$$

where see ref.[18]

BH horizon

$$G_{00}(u) = -\frac{u^2}{L^2} \left(1 - \frac{u_h^4}{u^4} \right) (1 + O(\lambda^{-3/2})) \quad (6)$$

$$G_{uu}(u) = \frac{L^2}{u^2} \left(1 - \frac{u_h^4}{u^4} \right)^{-1} (1 + O(\lambda^{-3/2})) \quad (7)$$

and $G_{xx} = u^2/L^2(1 + O(\lambda^{-3/2}))$. See ref.[18] also for the case of pure Gauss-Bonnet deformation of AdS.

Speed limit estimate for applicability of AdS drag

- $\gamma < \gamma_{\text{crit}} = (1 + 2M_q/\lambda^{1/2} T)^2 \sim 4M_q^2/(\lambda T^2)$

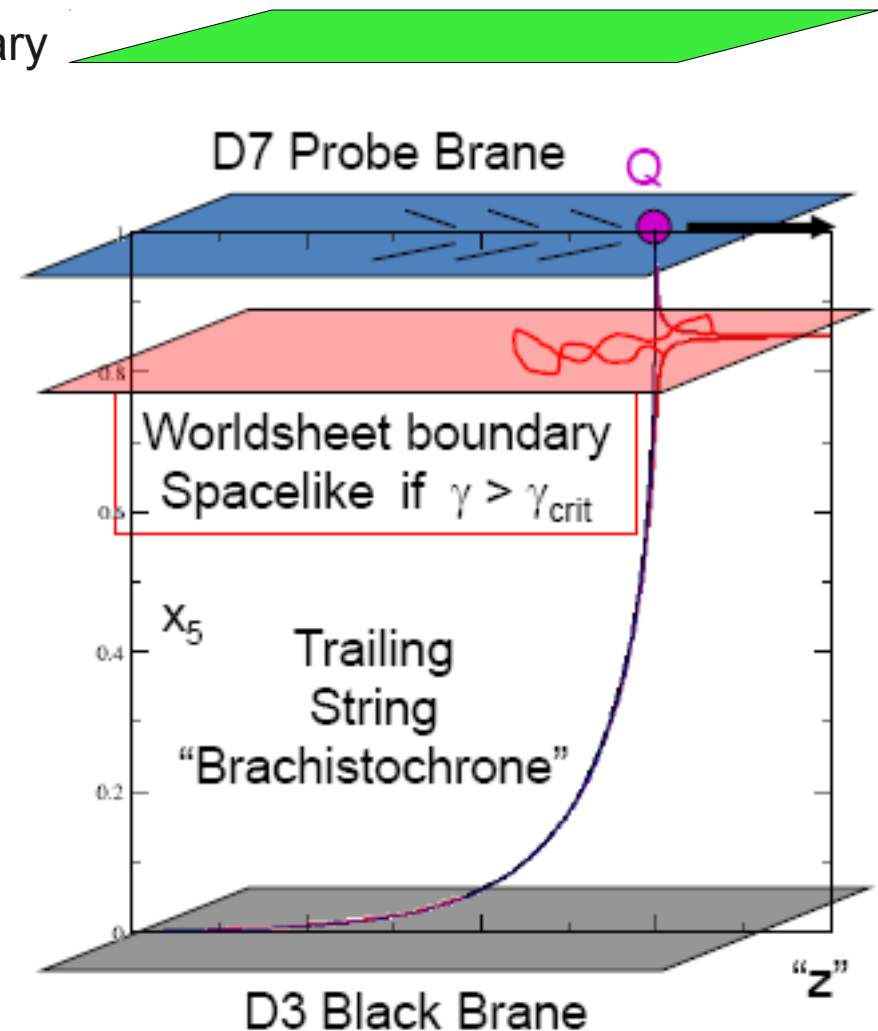
Gubser 07 , Herzog et al 07

For $\lambda = 30$, $M=4.5$, $T=0.2$

$$\gamma_{\text{crit}} \sim 70$$

String is tachyonic ($v > \text{local speed of light}$) below apparent red horizon

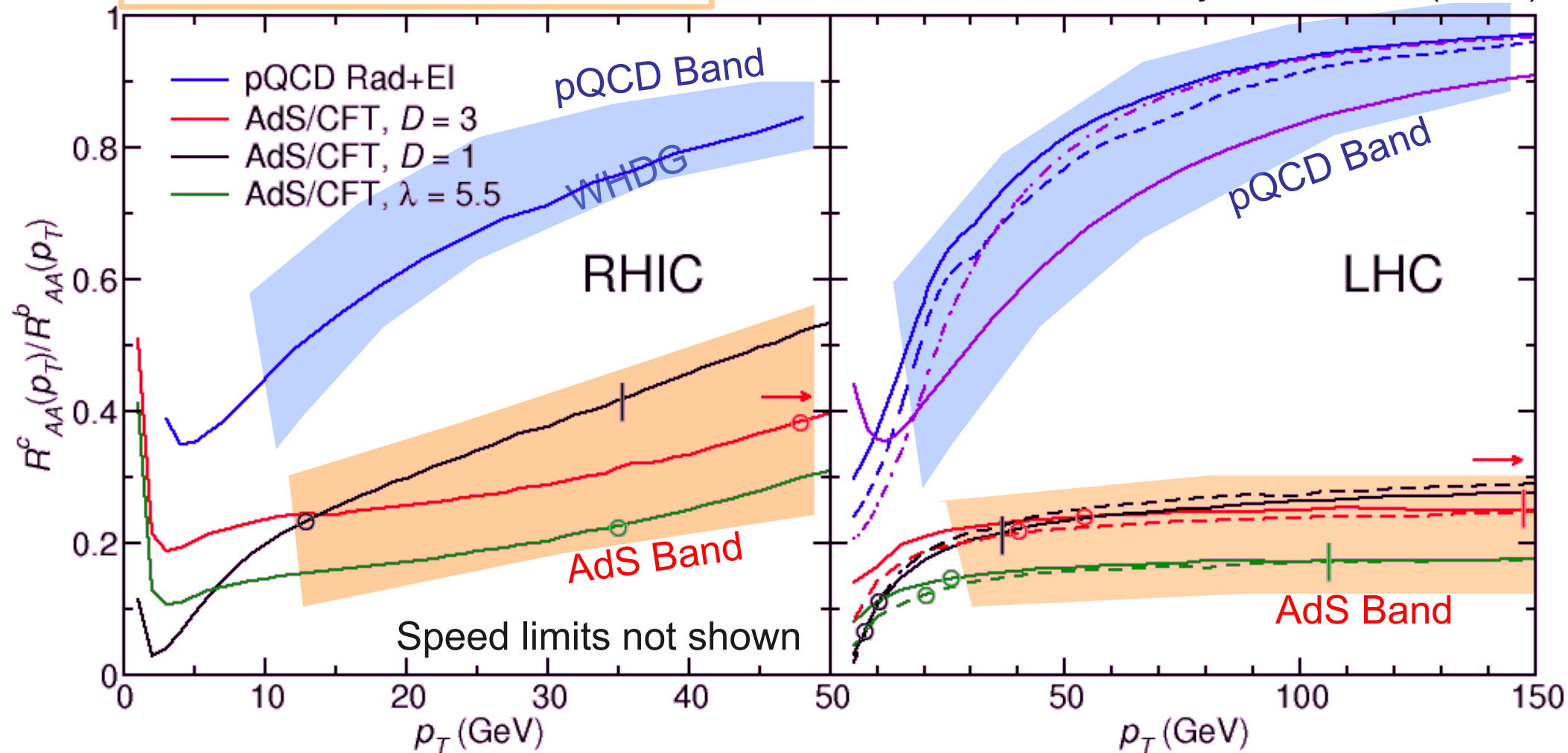
As $\gamma \rightarrow \gamma_{\text{crit}}$ apparent red horizon goes above D7 probe brane
 \Rightarrow unstable string configurations dominate \Leftrightarrow strong off shell effects



RHIC and LHC $R^{cb} = R_{AA}^c(p_T)/R_{AA}^b(p_T)$

PQCD vs pure Super AdS, $\lambda_{GB}=0$

W.Horowitz, MG: Phys.Lett.B666 (2008)



Bunching into a “pQCD band” vs a “AdS/CFT band” make this *Double* ratio of charm and bottom jet nuclear modification factors the ideal test of pQCD vs AdS/CFT gravity models of sQGP

AdS Holography Connects Thermo to Dissipation to Nonequilibrium dynamics

Noronha, Gyulassy, Torrieri, (2009),

With Phenomenological $R^2 \propto \lambda_{GB} \sim 1/N_c$ + $R^4 \propto \lambda^{-3/2}$ *perturbations* to R^1 (AdS₅)

$$\frac{\eta}{s} = \frac{1}{4\pi} \left(1 - 4\lambda_{GB} + 15 \frac{\zeta(3)}{\lambda^{3/2}} \right)$$

$$\frac{s}{s_{SB}} = \frac{3}{4} \left(1 + \lambda_{GB} + \frac{15}{8} \frac{\zeta(3)}{\lambda^{3/2}} \right)$$

Heavy quark energy loss

$$\frac{dp}{dt} = -\frac{\sqrt{\lambda} \pi T^2}{2M_Q} \left(1 + \frac{3}{2} \lambda_{GB} + \frac{15}{16} \frac{\zeta(3)}{\lambda^{3/2}} \right)$$

*** New result
J. Noronha**

To Predict

$$R_{AA}^e \times v_2$$

Main limitation is
that assumed conformal
invariance that does not hold $T \sim T_c$

R_{AA}^e via AdS Holographic Corona-graphy

$$R_{AA}^Q(p_T, b) = \int_0^{2\pi} d\phi \int d^2\vec{x}_\perp \frac{T_{AA}(\vec{x}_\perp, b)}{2\pi N_{\text{bin}}(b)} \times \exp[-n_Q(p_T)F_Q(\vec{x}_\perp, \phi)] \quad (14)$$

Corona factor \longrightarrow
With spectral index

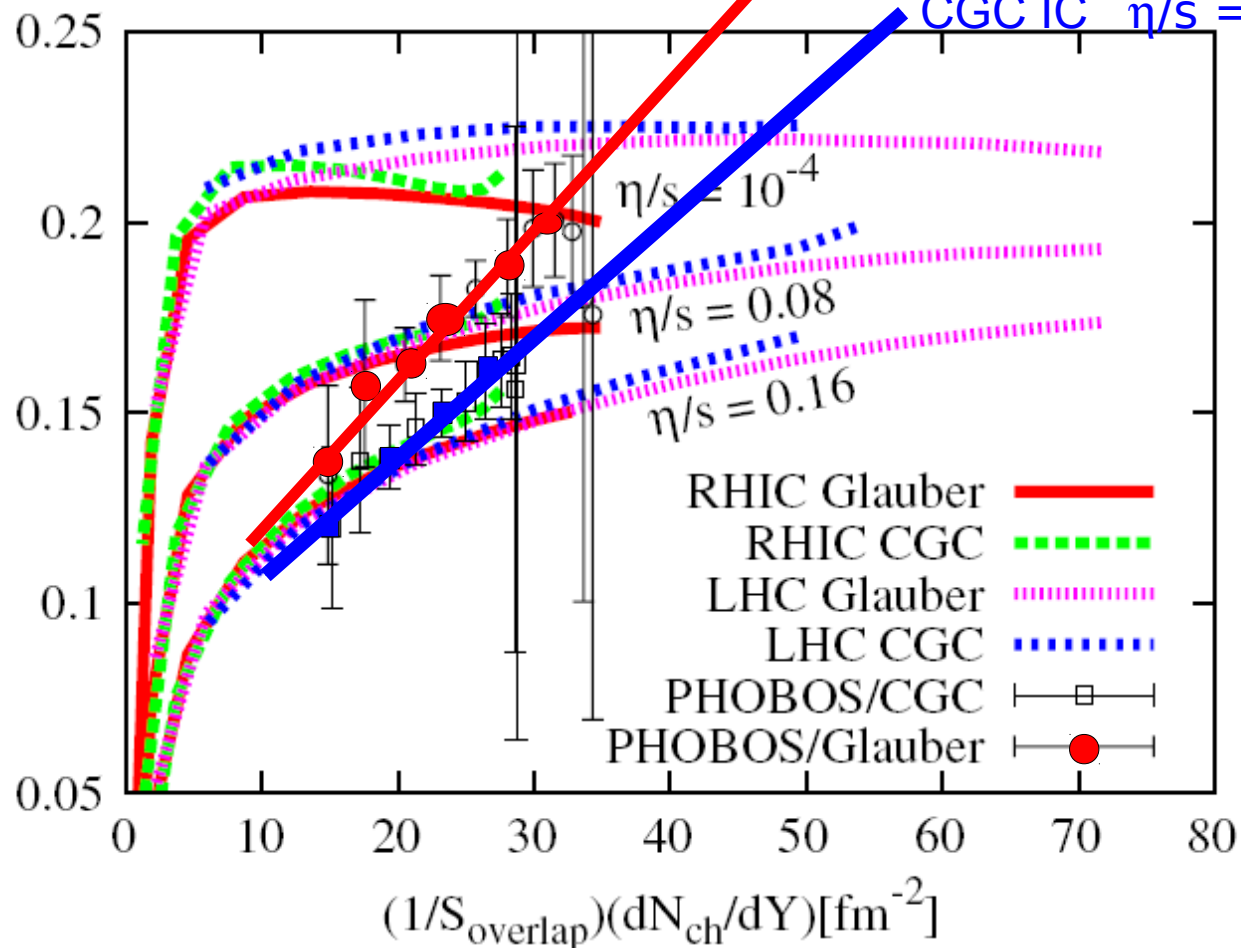
where N_{Bin} is the number of binary collisions and

$$F_Q(\vec{x}_\perp, \phi) = \sqrt{\lambda} \frac{\pi}{2M_Q} \left(1 + \frac{3}{2} \lambda_{GB} + \frac{15}{16} \frac{\zeta(3)}{\lambda^{3/2}} \right) \times \int_{\tau_0}^{\infty} d\tau T^2(\vec{l}, \tau) \theta(T(\vec{l}, \tau) - T_f). \quad (15)$$

Beware!
 e_x is a
 theory
 number

Same
 data
 / two
 different
 geom
 models

$$0.5 e_p/e_x (\approx v_2/e_x)$$



Glauber IC $\eta/s < 0$ at LHC?

CGC IC $\eta/s = 0$ at LHC?

Will LHC
 elliptic flow
 imply *negative*
 viscosity??

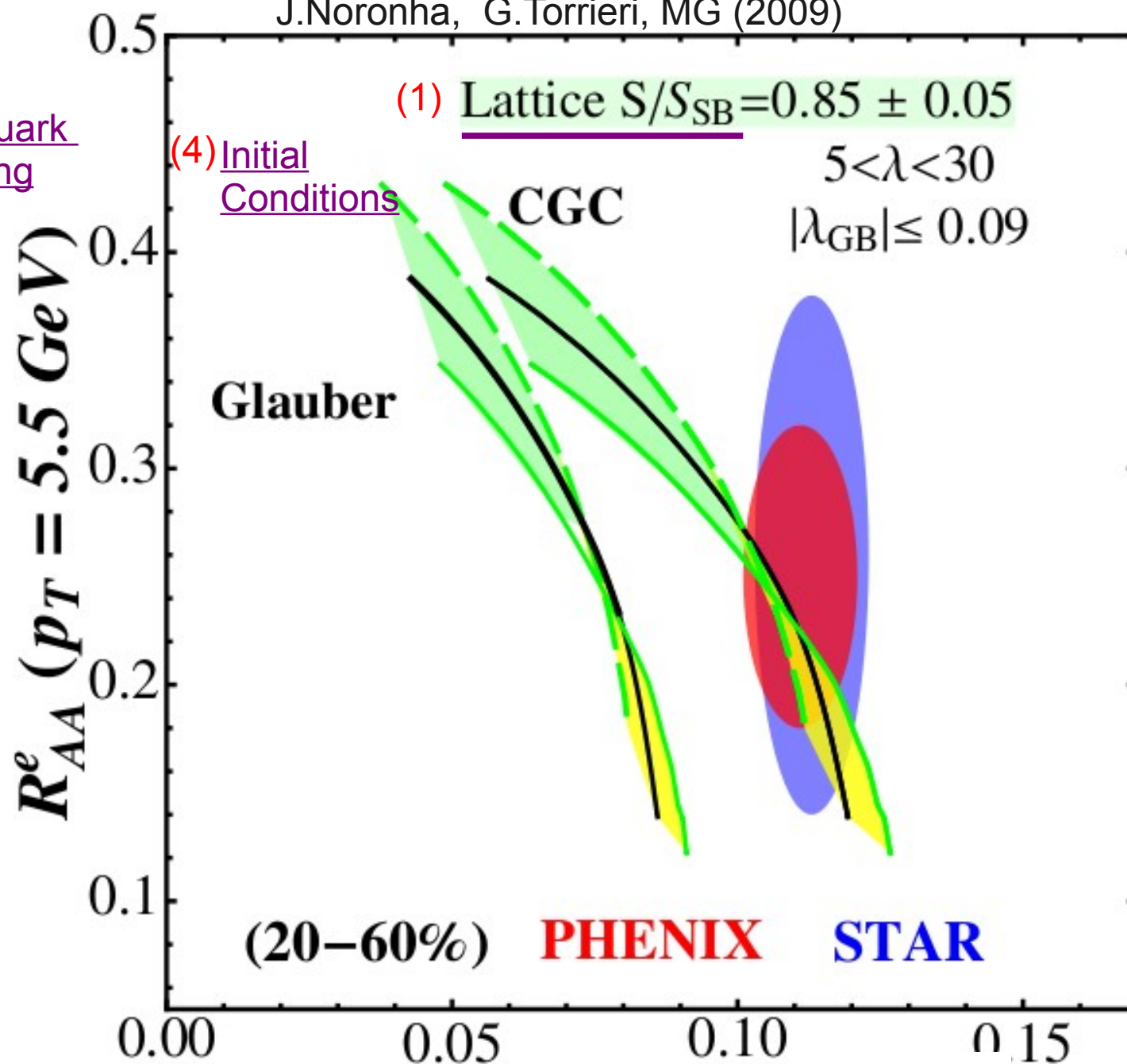
FIG. 1 (color online). Anisotropy (3) divided by (1), as a function of initial entropy (4) divided by (2). Shown are results from hydrodynamic simulations for $\sqrt{s} = 200$ GeV Au + Au

We compute v_2 (lambda t'Hooft) at RHIC by fitting Luzum,Romatschke curves
 For v_2 (eta/s)

Correlation between Hard Jet and Soft Bulk observables at RHIC via (AdS+GB) hQCD

J.Noronha, G.Torrieri, MG (2009)

(3) Heavy quark Jet quenching



(5) Heavy quark Jet induced collective flow

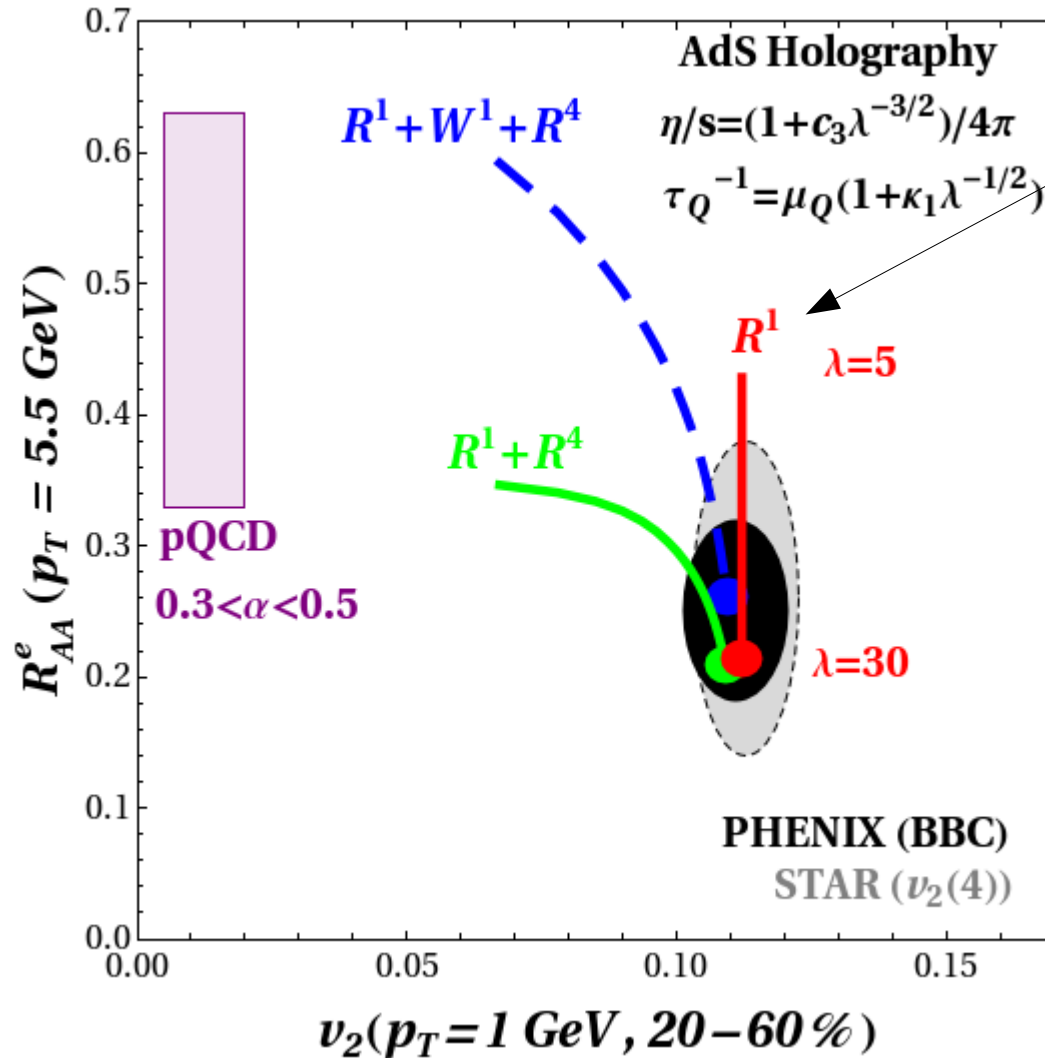
The Future

(2) Bulk Collective Flow

$v_2 (p_T = 1 \text{ GeV}, \eta/s)$ via Luzum, Romatschke PRC78 (08)

Unlike pQCD that predicts (P. Danielewicz, MG (85)) $\eta/s \sim 1$ for wQGP

Conformal Holography predicts (KSS (02)) $\eta/s = 1/4\pi$ as seen in v2 for sQGP



Pure N=4 SYM
AdS/CFT
Einstein + Nambu-Goto
Action

-1.3 Chu, Huo, Ren (09)

$$\frac{d \ln E}{d \hat{x}} = -\frac{\sqrt{\lambda}}{2} \frac{T}{M_Q} \left[1 + \frac{\kappa_1(1)}{\sqrt{\lambda}} + \frac{\kappa_2(1)}{\lambda} + \frac{1}{\lambda^{3/2}} \left(\frac{15}{16} \zeta(3) + \kappa_3(1) \right) + \frac{\kappa_4(1)}{\lambda^2} + \dots \right]$$

κ corrections correspond to fluctuations of the **string worldsheet** around its minimum area.

Remarkably robust correlation between Hard and Soft sQGP dynamics

Via a single $\lambda \sim 20-30$ t'Hooft parameter neglecting worldsheet fluc and string loop and GB deform

LHC will tell us 11/15/10 whether AdS holography (**hQCD**) extrapolated **Down to** the critical QCD coupling $\alpha_c \sim 0.5$ (Gribov)

can provide a more powerful approximate
A+A dynamical phenomenology than

standard **pQCD** extrapolated **Upwards to** the critical QCD α_c

Near Future RHIC with **b and c identified tomography**

Will provide a critical consistency control check of emerging pictures
Free of CGC ambiguities.

IF hQCD wins over pQCD approximations at RHIC and LHC,
then FAIR will have a very rich holographic future
in terms of 10D **non-conformal** baryon physics near
the sought after CEP (if that indeed exists)

Future theory development of Non-Conformal hQCD phenomenology is
urgently needed (J. Noronha, A. Ficnar)